

# Physics Beyond the Standard Model

## Flavour and Dark Photons

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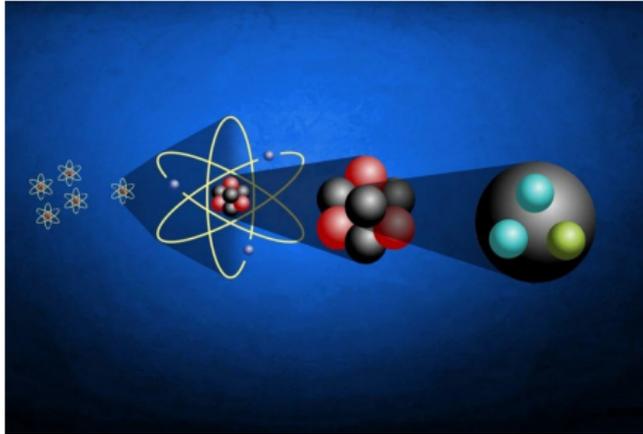
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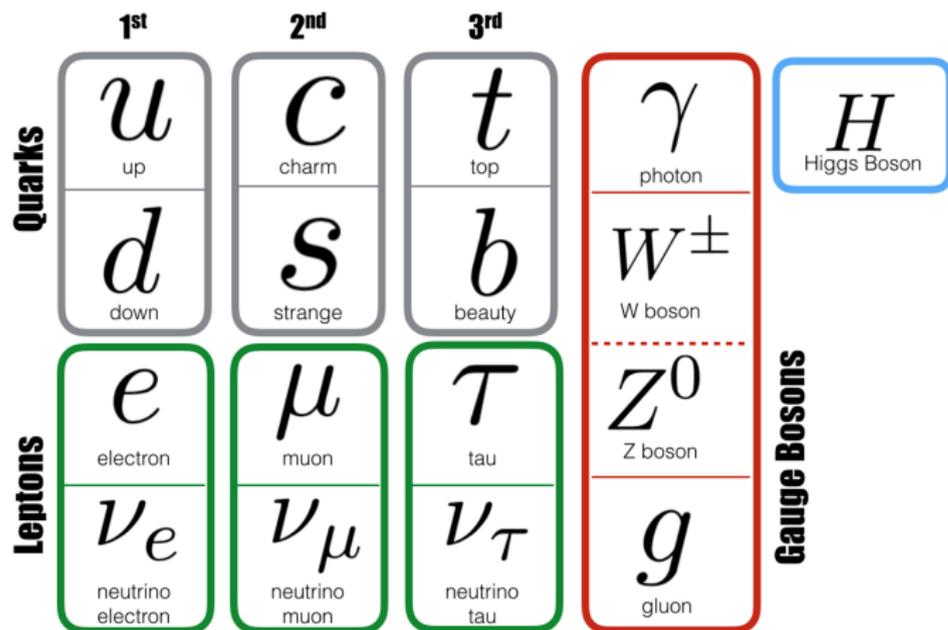
Part I

# Standard Model, Flavour and Beyond

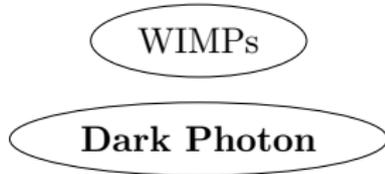
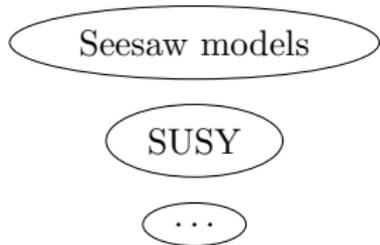
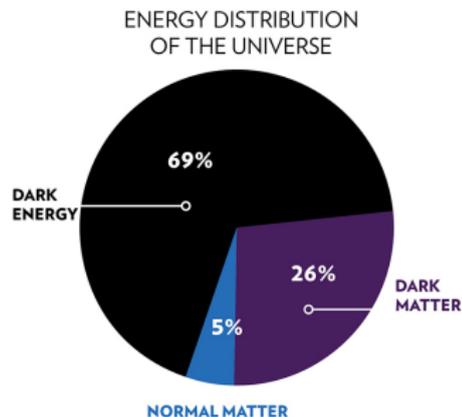
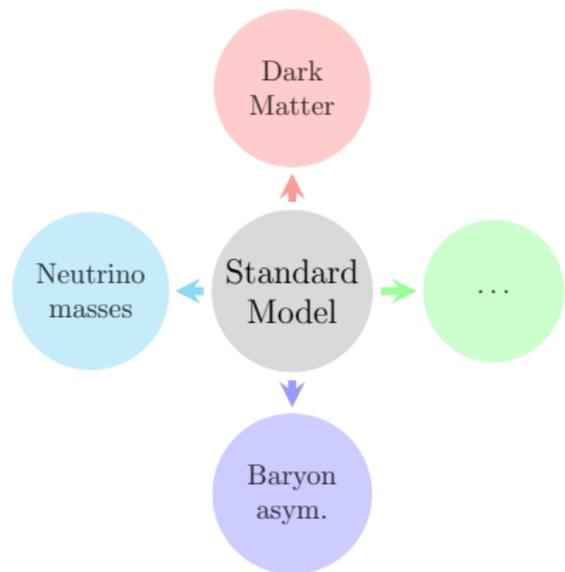


# Standard Model: Flavour

Quarks come in three copies (generations), and 6 flavours:  $\underbrace{u, c, t}_{u^i}, \underbrace{d, s, b}_{d^i}$ .



# Beyond the Standard Model (BSM)



How can flavour physics help?

Flavour physics allows to probe new phenomena → BSM searches!

But why?

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Flavour physics allows to probe new phenomena → BSM searches!

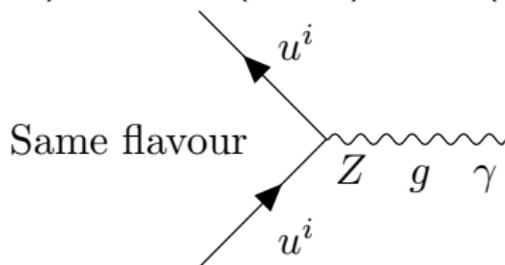
But why?

Because of the **suppression** of flavour-changing neutral currents (**FCNCs**)  
in the SM

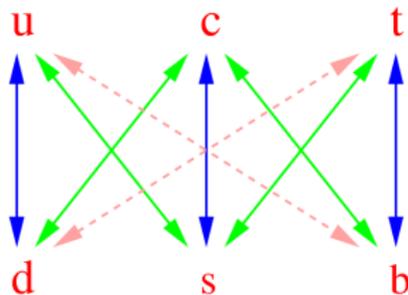
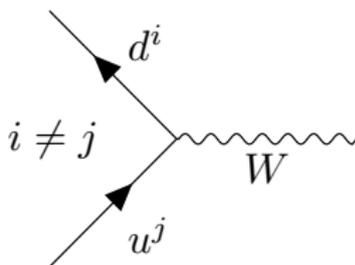
# SM and flavour changing currents

There are neutral ( $\gamma, g, Z$ ) and charged ( $W^\pm$ ) interactions with quarks

- ( $\gamma, g, Z$ ) do not change flavour  $\rightarrow$  **no** flavour changing **neutral** currents (FCNCs)  $u^i \equiv (u, c, t), d^i \equiv (d, s, b)$

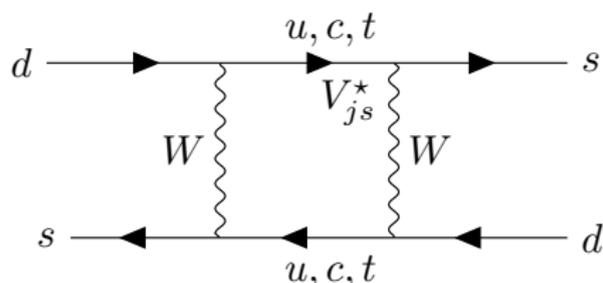


- $W^\pm$  bosons change flavour  $\rightarrow$  flavour changing **charged** currents

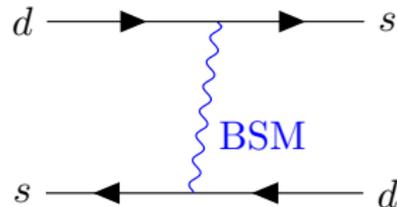


# SM, FCNCs and BSM

FCNCs can occur at loop level



New BSM field with FCNCs



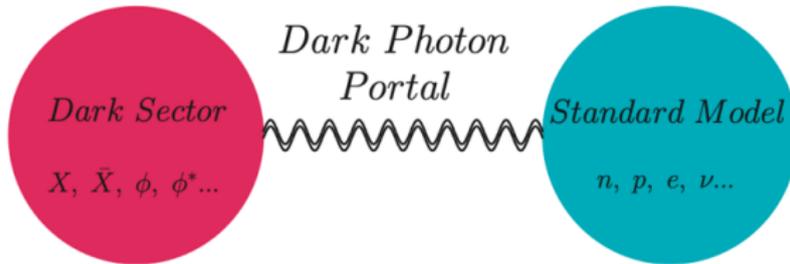
FCNC processes are very suppressed in the SM:

- Arise at loop level ( $\sim 1/16\pi^2$ )
- Smallness of CKM elements ( $V_{ij} \ll 1, i \neq j$ )
- GIM mechanism ( $\sim (m_u - m_c)^2 / M_W^2; V_{td}, V_{ts} \ll 1$ )

FCNCs are a good probe for BSM physics

# Part II

## Dark Photon



# The Dark Photon (DP) with kinetic mixing

Consider adding a **neutral spin 1** field ( $A'_\mu$ ) to QED ( $A_\mu$ )

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}^2 - \frac{1}{4}F'_{\mu\nu}{}^2 + eJ_\mu A^\mu + e'J'_\mu A'^\mu + \frac{m_{\gamma'}^2}{2}A'_\mu A'^\mu$$

$J_\mu$  SM matter

$J'_\mu$  dark sector (DS) matter

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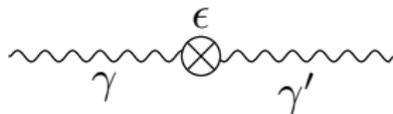
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We can also write a kinetic mixing term!

$$\mathcal{L}_{KM} = -\frac{\epsilon}{2}F^{\mu\nu}F'_{\mu\nu}, \quad \epsilon \ll 1$$

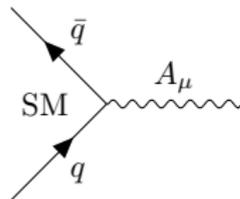
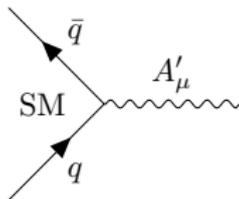
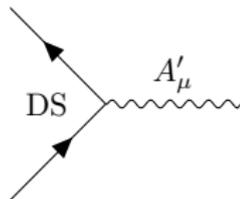


Due to kinetic mixing the DP can interact with SM matter

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}^2 - \frac{1}{4}F'_{\mu\nu}{}^2 - \frac{\epsilon}{2}F^{\mu\nu}F'_{\mu\nu} + eJ_{\mu}A^{\mu} + e'J'_{\mu}A'^{\mu} + \frac{m_{\gamma'}^2}{2}A'_{\mu}A'^{\mu}$$

Diagonalisation of the kinetic mixing

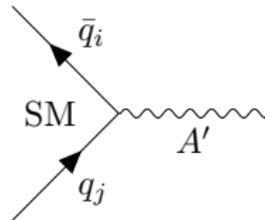
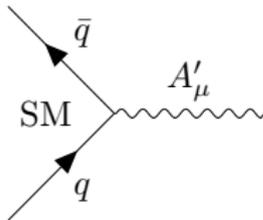
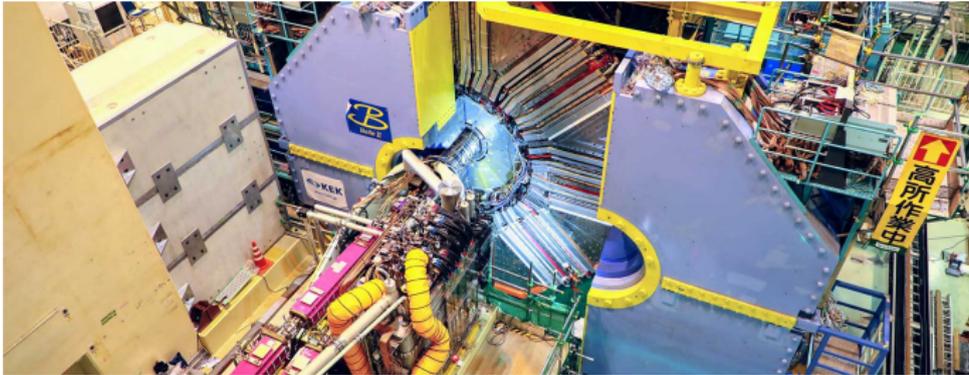
$$\mathcal{L}_{\text{int}} = (e'J'_{\mu} - \epsilon eJ_{\mu})A'^{\mu} + eJ_{\mu}A^{\mu}$$



Minimal model with kinetic mixing and no flavour-changing couplings

# Part III

## Flavour and Dark Photon



We considered kinetic mixing, now we go beyond!

# Why flavour and the Dark Photon

- SM has non-trivial flavour interactions, DP could behave similarly
- Rich phenomenology with experimental searches at colliders (2-body decays)

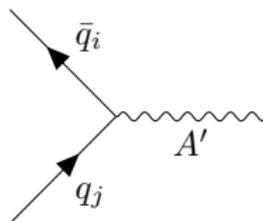
- Belle II ( $B \rightarrow \rho$ )
- NA62 ( $K \rightarrow \pi$ )
- BaBar ( $B \rightarrow \pi$ )
- ...



- Future upgrades and searches: KOTO, KLEVER, BESIII, ...

⇒ Potential discovery via FCNCs

# Flavour-changing couplings with the Dark Photon



$$\mathcal{L} = \mathcal{L}_D + \mathcal{L}_V$$

$$\mathcal{L}_D = \frac{1}{\Lambda} \bar{q}_i \sigma^{\mu\nu} \left( C_{ij}^D + i\gamma_5 C_{ij}^{5D} \right) q_j F'_{\mu\nu} \quad \text{Dipole (dim-5)}$$

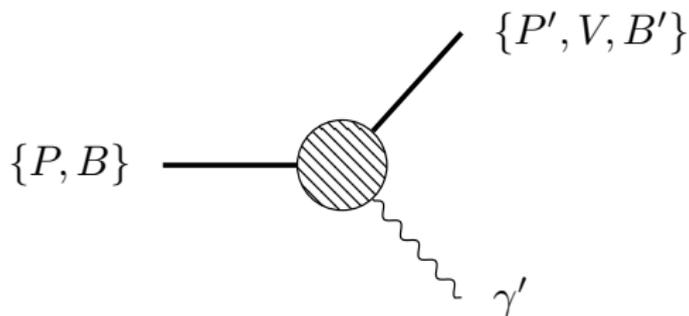
$$\mathcal{L}_V = \left( \frac{m_{\gamma'}}{\Lambda} \right)^2 \bar{q}_i \left( C_{ij} + \gamma_5 C_{ij}^5 \right) q_j A' \quad \text{Vector (dim-4)}$$

## Objective

Constrain  $\{C_{ij}^D, C_{ij}^{5D}, C_{ij}, C_{ij}^5\}$  with flavour-changing 2-body decays  
( $m_{\gamma'} \ll m_{EW}$ ; EFT)

## 2-body decays

$P^{(\prime)} \equiv$  pseudoscalar,  $V \equiv$  vector,  $B^{(\prime)} \equiv$  baryon

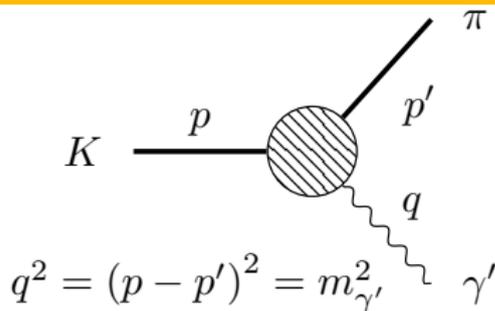


Type	Example	$\mathbb{C}_{ij}^D$	$\mathbb{C}_{ij}^{5D}$	$\mathbb{C}_{ij}$	$\mathbb{C}_{ij}^5$	Sector	Example
$P \rightarrow P' \gamma'$	$K \rightarrow \pi \gamma'$	✓	✗	✓	✗	$sd$	$K \rightarrow \pi \gamma'$
$P \rightarrow V \gamma'$	$B \rightarrow K^* \gamma'$	✓	✓	✓	✓	$bs$	$B \rightarrow K^* \gamma'$
$B \rightarrow B' \gamma'$	$\Sigma \rightarrow p \gamma'$	✓	✓	✓	✓	$bd$	$B \rightarrow \pi \gamma'$
						$cu$	$D \rightarrow \pi \gamma'$

# Form factors (FFs): $K \rightarrow \pi\gamma'$ example

$$\mathcal{L}_V = \left(\frac{m_{\gamma'}}{\Lambda}\right)^2 \bar{q}_i A' C_{ij} q_j$$

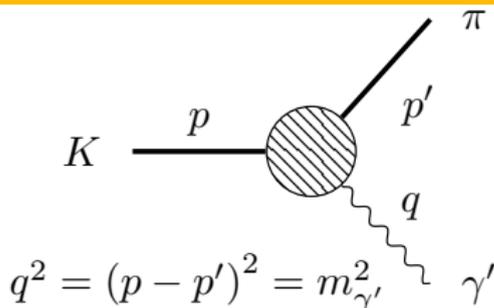
$$\mathcal{M} = \langle \gamma' \pi(p') | \mathcal{L}_V | K(p) \rangle$$



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$$\mathcal{M} = \langle \gamma' \pi(p') | \mathcal{L}_V | K(p) \rangle$$



- $\mathcal{M} = \left(\frac{m_{\gamma'}}{\Lambda}\right)^2 C_{ij} \langle \pi(p') \gamma' | \bar{q}_i A'_\mu \gamma^\mu q_j | K(p) \rangle$

$\langle \pi(p') | \bar{q}_i \gamma^\mu q_j | K(p) \rangle \sim f \left( m_{\gamma'}^2 \right)$  is the form factor

$$\langle \pi(p') | \bar{q}_i \gamma^\mu q_j | K(p) \rangle = (p + p')^\mu \mathbf{f}_{ij}^+ \left( m_{\gamma'}^2 \right) + (p - p')^\mu \mathbf{f}_{ij}^- \left( m_{\gamma'}^2 \right)$$

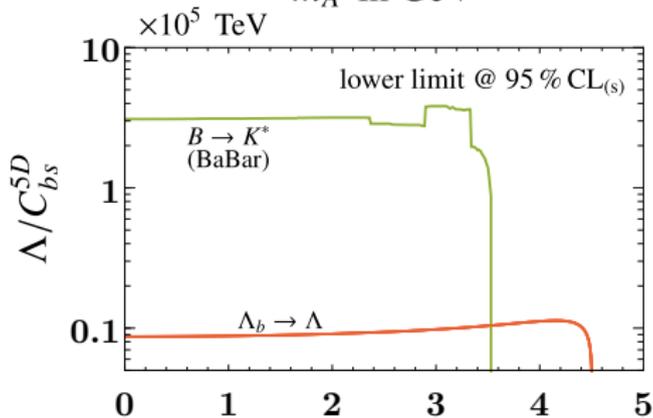
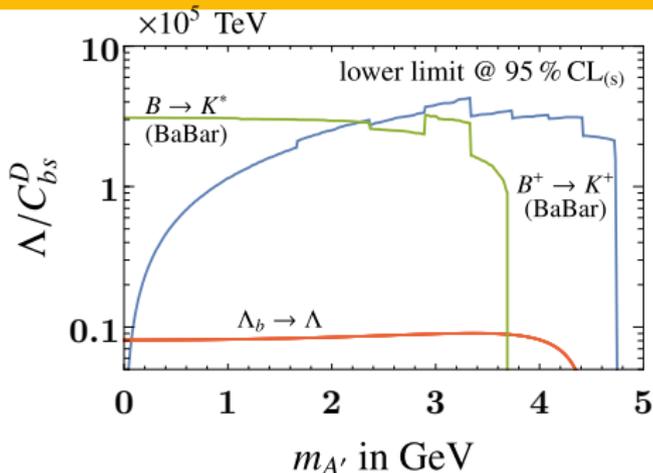
Mass dependence and non-perturbative effects in FFs

Equivalently for  $\langle B(p') | \bar{q}_i \gamma_\mu q_j | B(p) \rangle$ ,  $\langle V(p', \epsilon_\alpha) | \bar{q}_i \sigma_{\mu\nu} \gamma_5 q_j | P(p) \rangle$ , etc

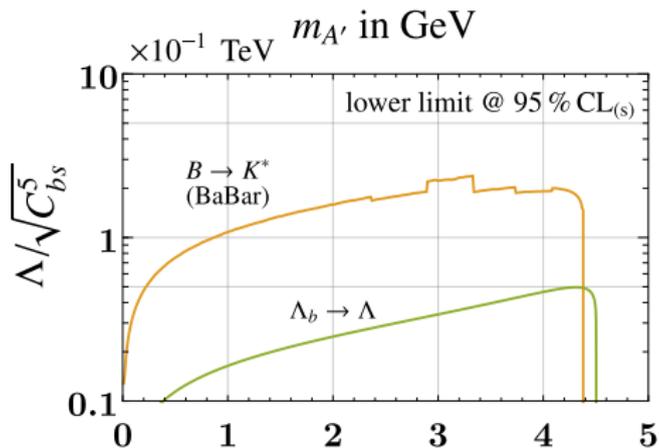
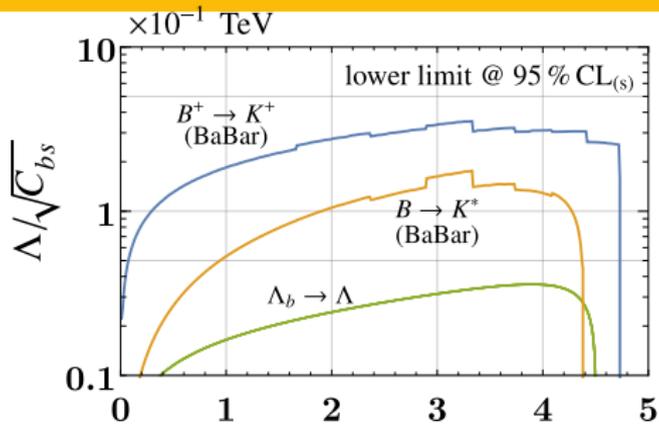
Part IV

# Constraining Dark Photon FCNCs

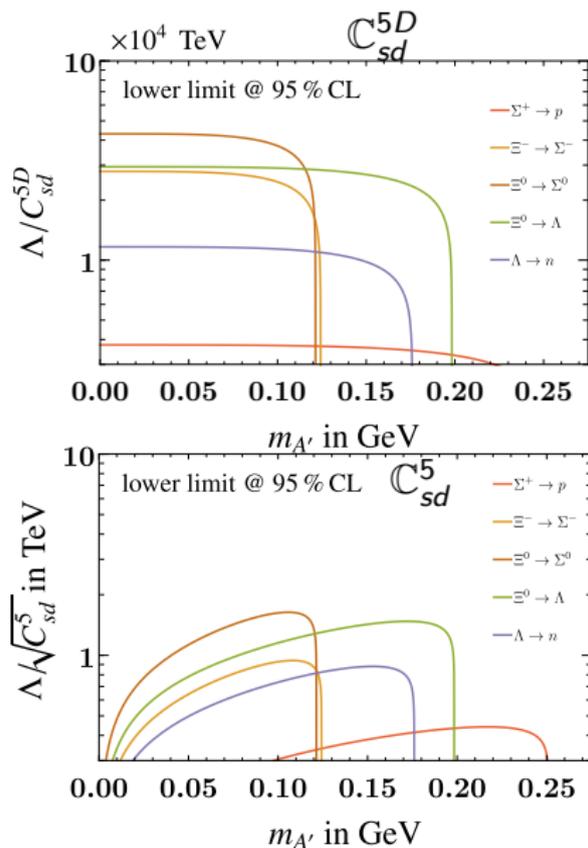
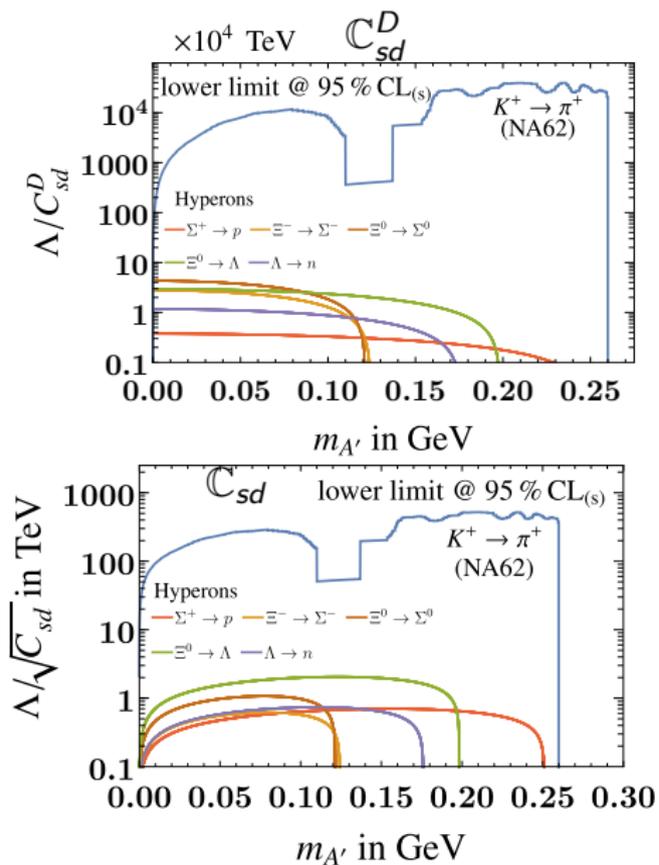
# Constraints $bs$ sector Dipole $\mathbb{C}_{bs}^D, \mathbb{C}_{bs}^{5D}$



# Constraints $bs$ sector Vector $\mathbb{C}_{bs}, \mathbb{C}_{bs}^5$



# Constraints $sd$ sector



# Towards a global picture of FCNC bounds

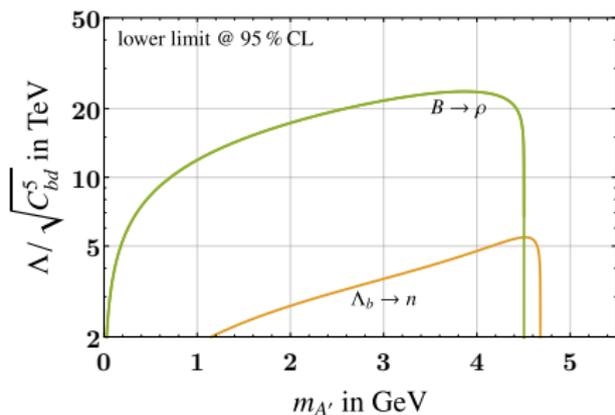
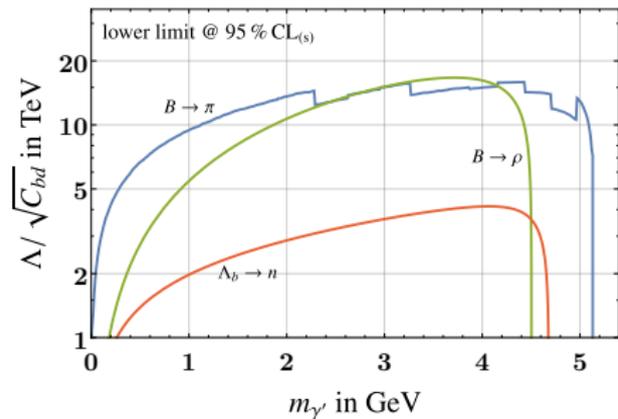
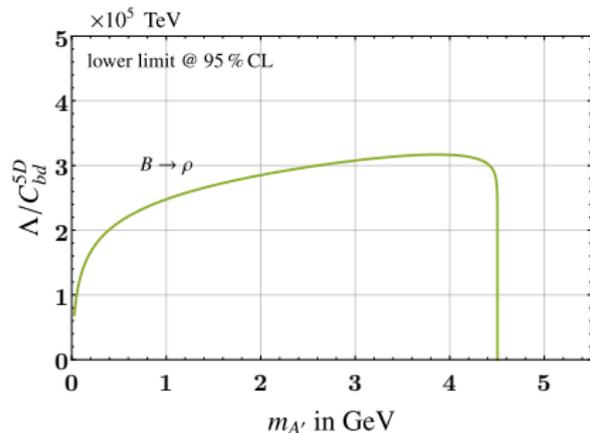
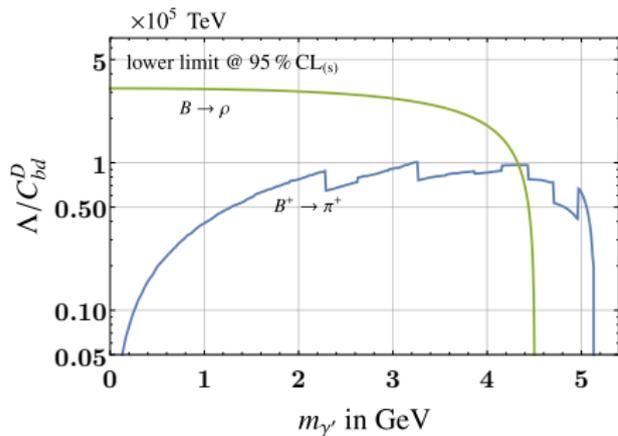
- Recast of data, experiments needed!
- DP mass dependence, with  $m_{A'} \ll m_{EW}$
- $K \rightarrow \pi$  sets the strongest constraint ( $sd$  sector)
- Baryon decays are the least constraining but sometimes the only available (no current experimental searches, but planned ones).
- Two more sectors:  $bd$  and  $cu$

# Conclusions and outlook

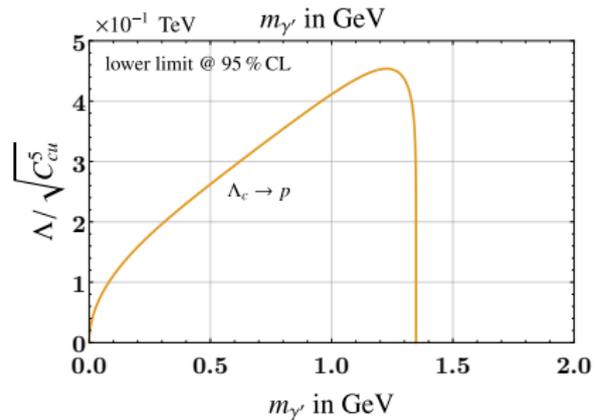
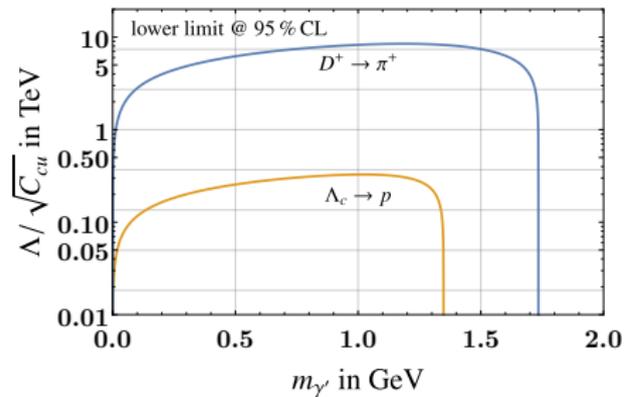
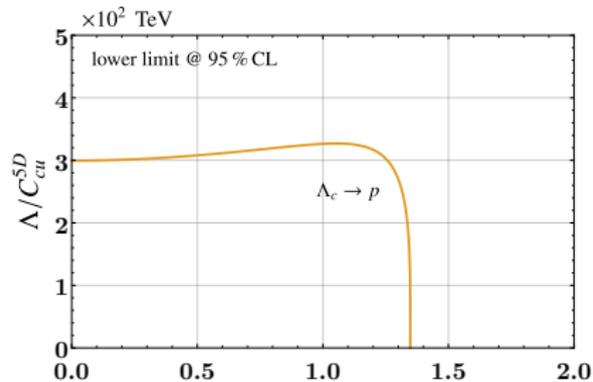
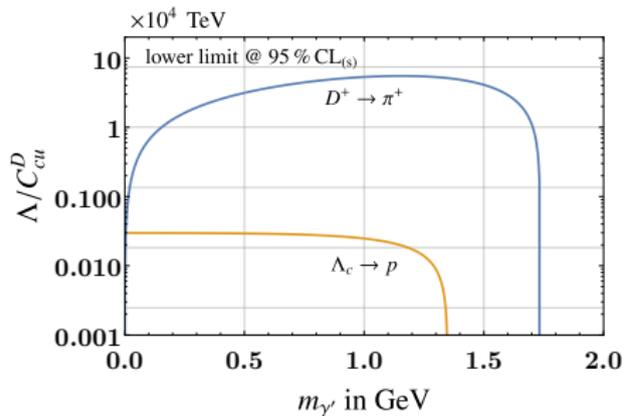
- SM must be extended, flavour gives us a guide
- Dark Photon is a minimal extension of the SM and a DM candidate
- Discovery potential via FCNCs searches: constrained flavour-violating couplings with 2-body decays
  - $P \rightarrow P'\gamma'$
  - $P \rightarrow V\gamma'$
  - $B \rightarrow B'\gamma'$
- Future:
  - Astrophysical and cosmological constraints
  - Dark sector matter

Backup slides

# $bd$ sector



# cu sector



# Dark Photon mass and gauge invariance

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} + \frac{m^2}{2}A_\mu A^\mu \quad \text{Proca theory}$$

The mass term  $\frac{m^2}{2}A_\mu A^\mu$  is gauge invariant in a **hidden** manner

Consider doing a field redefinition  $A_\mu \rightarrow A_\mu + \partial_\mu\phi$ , then the theory is invariant under

$$\begin{aligned}A_\mu &\rightarrow A_\mu + \partial_\mu\Lambda \\ \phi &\rightarrow \phi - \Lambda\end{aligned}$$

This is known as the Stueckelberg procedure, which is nothing else than the **affine Higgs mechanism** (i.e. Higgs is decoupled)

DP can get mass through a Dark Higgs

# Kinetic mixing with SM hypercharge boson

$$\mathcal{L} = \mathcal{L}_{EW} + \mathcal{L}_{Higgs} + \mathcal{L}_{KM}$$

Kinetic mixing term for Dark Photon and SM  $U(1)_Y$  boson

$$\mathcal{L}_{KM} = -\frac{\epsilon}{2} B^{\mu\nu} F'_{\mu\nu}$$

Diagonalisation+SSB+gauge mass basis

$$\begin{pmatrix} B_\mu \\ W_\mu^3 \\ A'_\mu \end{pmatrix} = \begin{pmatrix} 1 & 0 & -\epsilon t \\ 0 & 1 & 0 \\ 0 & 0 & t \end{pmatrix} \begin{pmatrix} c_W & -s_W c_\xi & s_W s_\xi \\ s_W & c_W c_\xi & c_W s_\xi \\ 0 & s_\xi & c_\xi \end{pmatrix} \begin{pmatrix} A_\mu \\ Z_\mu \\ Z'_\mu \end{pmatrix}$$

$$\tan 2\xi = -\frac{2\eta s_W}{1 - s_W^2 \eta^2 - \delta} \quad \text{with} \quad t = 1/\sqrt{1 - \epsilon^2}, \quad \eta = \epsilon t, \quad \delta = m_{A'}^2/m_Z^2$$

# Interactions

$$\mathcal{L}_D = \frac{1}{\Lambda} \bar{q}_i \sigma^{\mu\nu} \left( C_{ij}^D + i\gamma_5 C_{ij}^{5D} \right) q_j F'_{\mu\nu} \quad \text{Dipole}$$

- dim-5 operator, DP can be massive/massless

$$\mathcal{L}_V = \bar{q}_i A' \left( C_{ij} + \gamma_5 C_{ij}^5 \right) q_j \quad \text{Vector}$$

- dim-4 operator, DP **cannot** be massless, Ward identity is not satisfied ( $p_\mu M^{\mu\nu} \neq 0$ ). Rescale  $\mathcal{L}_V \rightarrow \left( \frac{m_{\gamma'}}{\Lambda} \right)^2 \mathcal{L}_V$  so  $\mathcal{L}_V = 0$  if  $m_{\gamma'} = 0$

	$\mathcal{L}_D$	$\mathcal{L}_V$
Massive	✓	✓
Massless	✓	✗

Massless DP couples to SM only through higher dimensional operators

# Origin of flavour violating couplings

- $\mathcal{L}_V$  comes from the interaction  $A'_\mu J^\mu$

$$J^\mu = \sum_{ij} \bar{Q}^i Y_Q'^{ij} \gamma^\mu Q^j + \sum_{ij} \bar{u}_R^i Y_u'^{ij} \gamma^\mu u_R^j + \sum_{ij} \bar{d}_R^i Y_d'^{ij} \gamma^\mu d_R^j$$

Going to the Yukawa mass basis we infer:

FV couplings are induced if the hypercharges  $Y'_x$  are **not** universal

- $\mathcal{L}_D$  comes from the interaction  $\frac{1}{\Lambda^2} F'_{\mu\nu} J^{\mu\nu}$

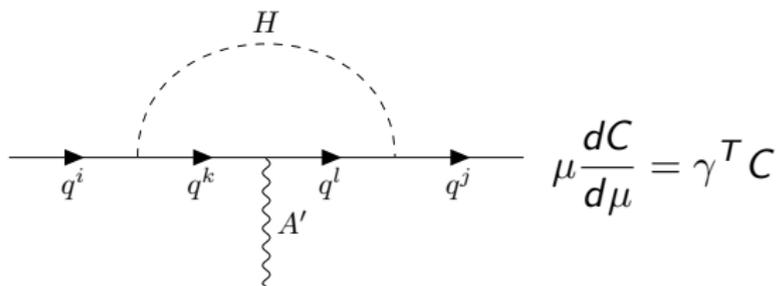
$$J^{\mu\nu} = \sum_{ij} \bar{Q}^i \tilde{H} C_u^{ij} \sigma^{\mu\nu} u_R^j + \sum_{ij} \bar{Q}^i H C_d^{ij} \sigma^{\mu\nu} d_R^j + \text{h.c.}$$

Going to the Yukawa mass basis we infer:

FV couplings are induced if couplings  $C_x$  are **not** aligned with SM Yukawas

# Flavour-changing couplings from RGEs

FCNCs can be induced from the couplings RGEs (1310.4838v3)


$$\mu \frac{dC}{d\mu} = \gamma^T C$$

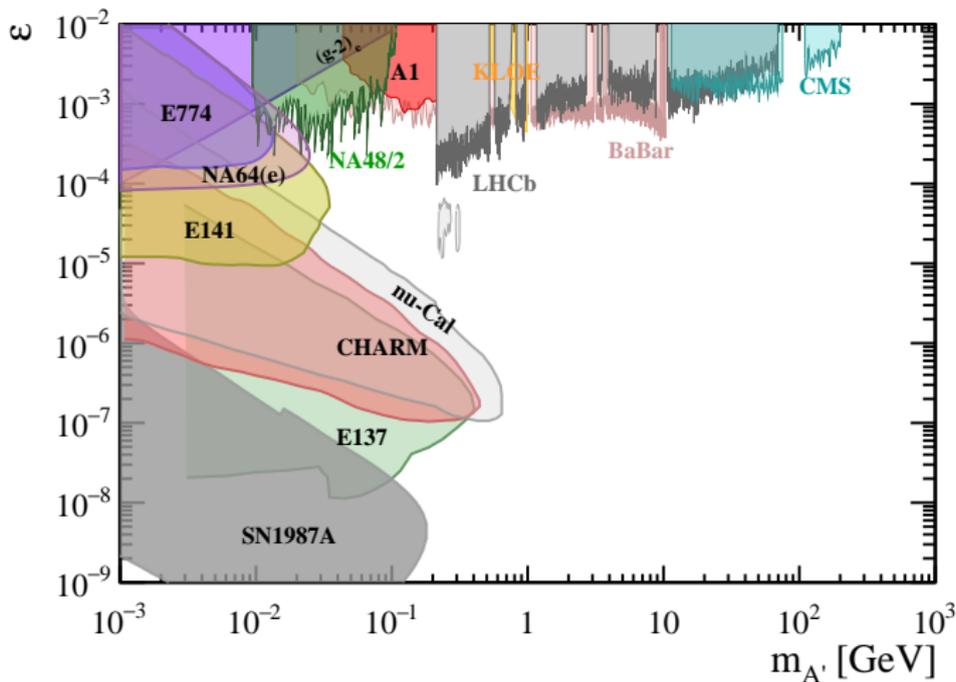
Taking into account 1-loop Yukawa corrections we find

Starting with flavour-diagonal interactions at a high scale  $\Lambda$  FCNCs are induced at the low scale  $\mu$

Top contributions yield

$$C_{ij}(\mu) \sim \delta_{ij} C_{ij}(\Lambda) + m_t^2 V_{tj} V_{ti}^* \log\left(\frac{\mu}{\Lambda}\right)$$

# Constraints



Di-lepton searches (LHCb, NA48, BaBar, etc); Beam dump (NA64, E774 at Fermilab, etc); Supernova (1987A)