

Magnetic field and gas, a sticky couple: models to quantify magnetic braking

N. Añez-López
Cold Cores
May 24-26, 2023

Co-Authors and collaborators:

U. Lebreuilly , A. Maury , P. Hennebelle

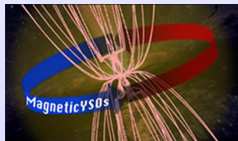


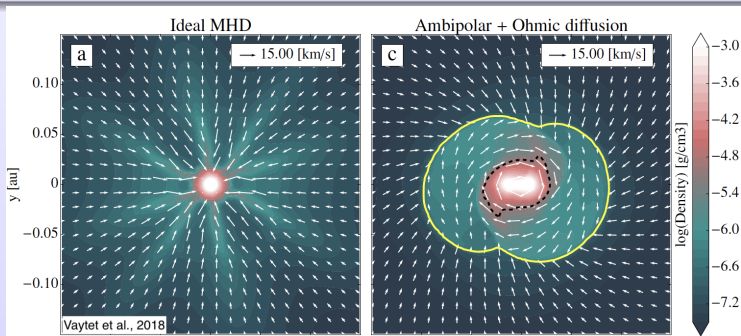
Table of Contents

- 1 Introduction
- 2 non-ideal MHD Models
- 3 $C^{18}O$ (2-1) synthetic obs
- 4 Conclusion

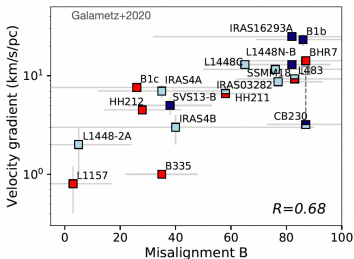
Magnetic braking

Solutions?

- Magnetic field can redistribute angular momentum through Alfvén waves. "Magnetic braking"
- Regulation mechanism has to be included to avoid the magnetic braking "catastrophe"



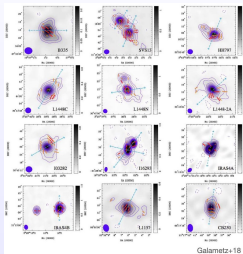
Others solution to magnetic braking catastrophe



See Joos+2012; Gray+2018 as well

- correlation between misalignment and velocity gradient
- turbulence proposed as solution to magnetic braking catastrophe: as diffusivity arising from turbulent magnetic re-connection

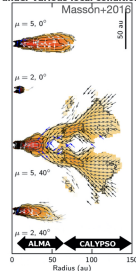
Sizes of the protostellar disks



- Magnetic field is ubiquitous.
- Observation toward Class 0 at 100-5000 au scales
- ex.: SMA 850 μm (Galametz+18)

- Most of Class 0 harbor a disk (CALYPSO survey, Maury+2019),
- majority are only found at radii < 60 au (Maury+2019; Sheehan+2022),
- which is difficult to reconcile with purely hydro-dynamical models (Lebreuilly+2021)

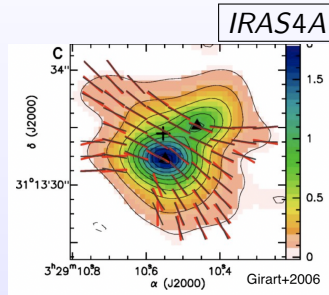
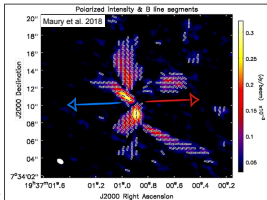
Non-ideal MHD Class 0 disks:
sizes and shapes
under various local conditions



Indications of the coupling

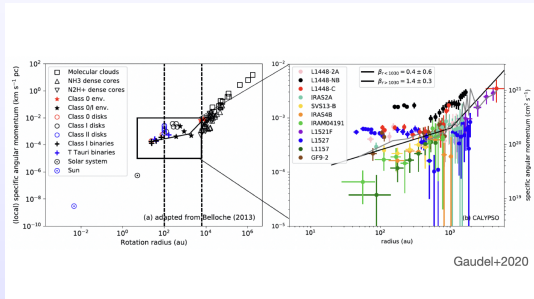
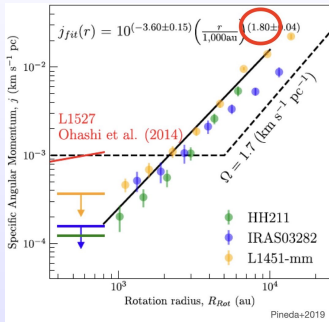
- Infalling material pinch magnetic field
- where B-field is pinched, there will be a decrease in AM

B335



- More severe magnetic braking is expected around the equatorial plane.

Specific angular momentum observations



AM observation shows different behavior at inner radius $< 1000 \text{ au}$.
Magnetic braking ?

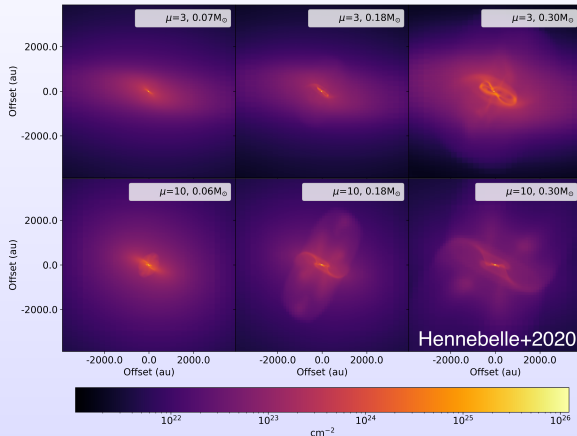
Main goal

- Observe features due to magnetic braking by analyzing gas kinematics
- Test efficiency of the magnetic braking.

Table of Contents

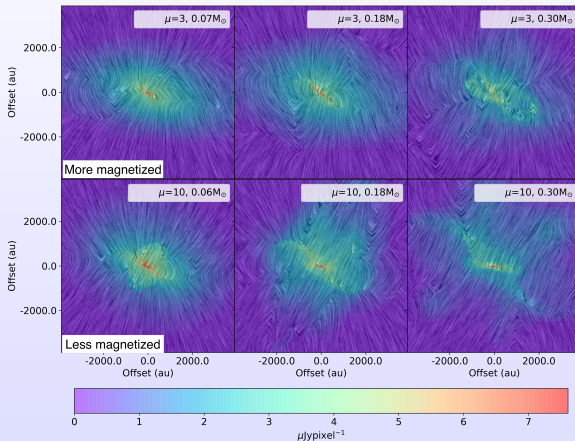
- 1 Introduction
- 2 non-ideal MHD Models
- 3 $C^{18}O$ (2-1) synthetic obs
- 4 Conclusion

Models



- RAMSES non-ideal MHD
low-mass collapsing cores
- total mass $1 M_{\odot}$
- edge-on orientation (z-x plane)
- 8000 au scales
(out of 16000 au)
- initial uniform density
- $\beta_{rot}, \theta, \dots$
similar initial condition
- sink at the geometric center

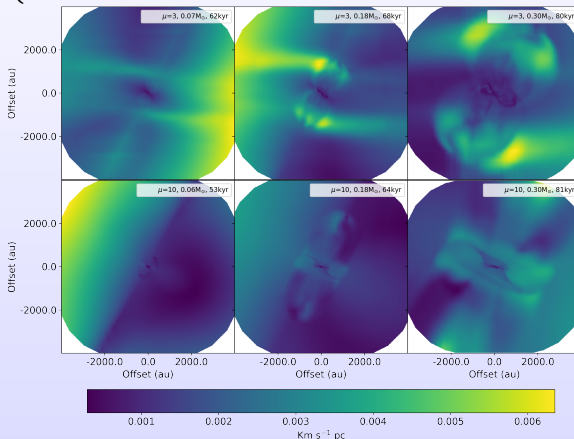
Magnetic field morphology



- B-field is initially uniform
- Polarized dust thermal emission using POLARIS at $860\mu m$ (360 GHz)
- assuming dust grain aligned by b-field

13 / 27

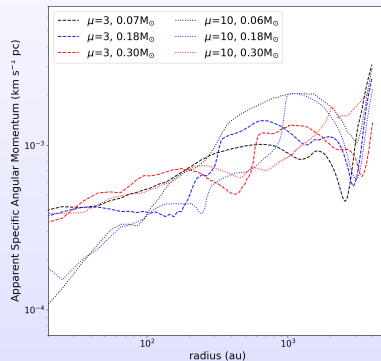
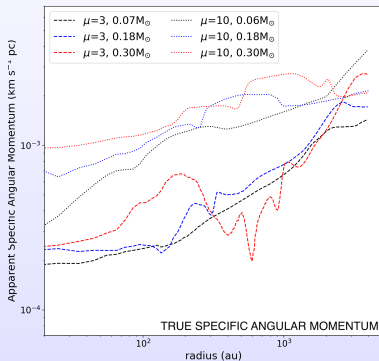
$$\left\{ \begin{array}{l} jm_{ij}^h = r_{ij}^h v^{ijh}, \quad jm_{ij} = \frac{\sum \rho_{ij}^h jm_{ij}^h}{\sum \rho_{ij}^h} \quad \text{for } h = 0, \dots, 5000 \text{ au}, \end{array} \right.$$



- SAM integrated along LOS

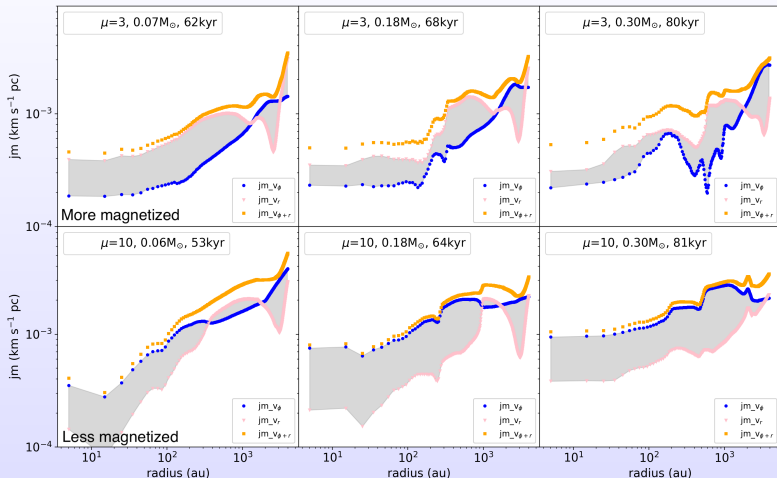
Specific Angular Momentum radial profile

Rotation component (SAM) / Radial component (ASAM)



Starting from the same AM, more magnetized model show much less magnitude

SAM & ASAM profiles

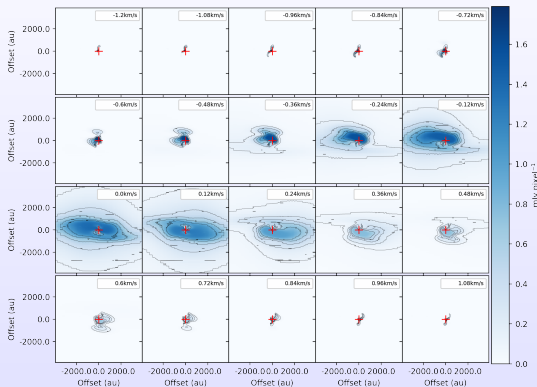


- $\mu=3$ model: kinematics dominated by infall
- $\mu=10$ model: kinematics dominated by rotation

Table of Contents

- 1 Introduction
- 2 non-ideal MHD Models
- 3 $C^{18}O$ (2-1) synthetic obs
- 4 Conclusion

C^{18}O (2-1) Synthetic observation

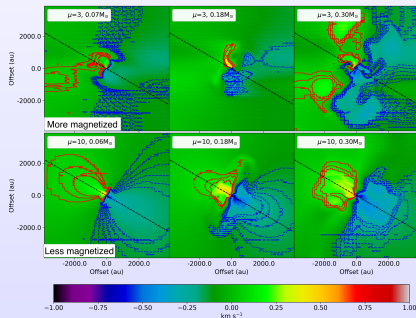
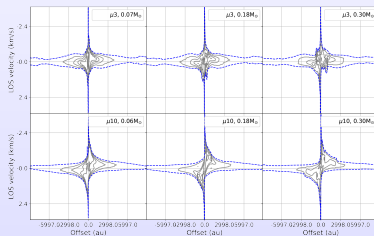


- POLARIS (Reissl+2016; Brauer+2017)
- C^{18}O (2-1)
- $E_{up} = 15.81 \text{ K}$
- spec.res. 0.12 km s^{-1}
- ranged $\pm 7 \text{ km s}^{-1}$

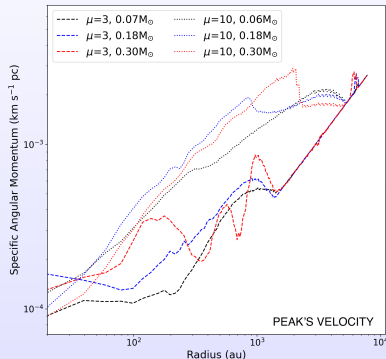
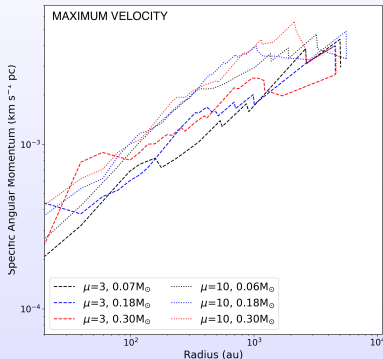
C^{18}O : widely used to trace kinematics

How observers do it?

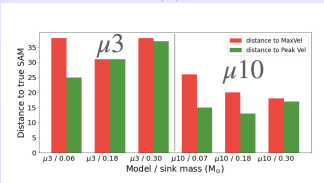
Maximum velocity / Peak's velocity



SAM in synthetic observation

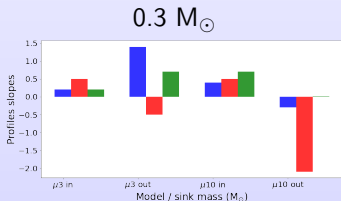
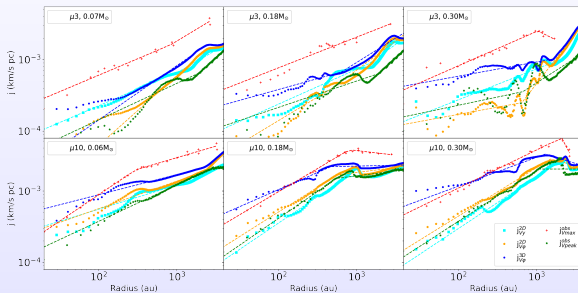


- Left: SAM from maximum velocity computed from pv-diagrams through the equatorial plane.
- Right: SAM from peak's velocity from first moment maps through equatorial plane.

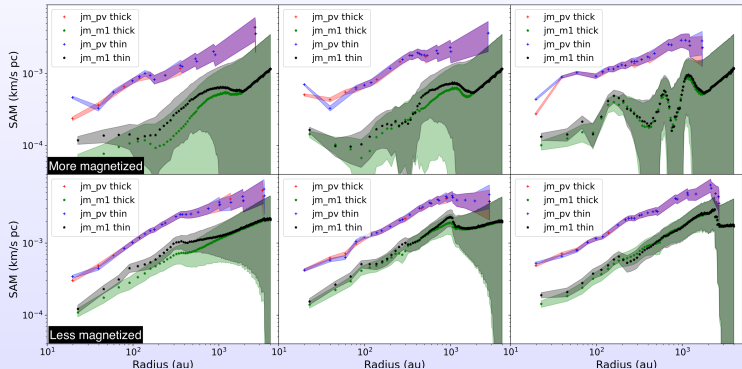


Peak's velocity capture the SAM trend

Radial profiles slope



Peak's velocity catch inner and outer slope

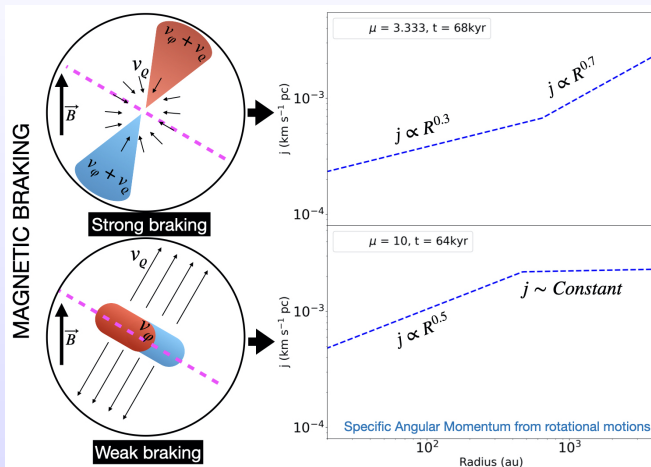
$C^{18}O / C^{17}O$ 

- NO optical depth effects.
- Slightly higher SAM of the optically thin molecule emission seen in the peak velocity.

Table of Contents

- 1 Introduction
- 2 non-ideal MHD Models
- 3 $C^{18}O$ (2-1) synthetic obs
- 4 Conclusion

Specific Angular Momentum in non-Ideal MHD models



Is possible to catch the signature of magnetic braking

Conclusion

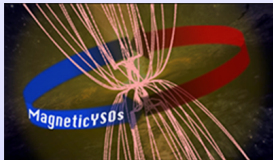
- The magnetization level of the models have a great impact on the characteristics of the radial and rotational velocity components, which is reflected in the specific angular momentum.
- More magnetized model show very efficient redistribution of SAM toward the outside, mostly affecting the gas kinematics at scales from ~ 1000 to ~ 4000 au
- A higher magnetization also results in predominant radial motions at the small envelope radii, < 1000 au.
- $C^{18}O$ (2-1) velocity field can distinguish the more magnetized model from the less magnetized model and, is capable of recovering the trend of the specific angular momentum.
- Peak's velocity best approximates the rotational velocity component, especially in a strongly magnetized environment.

Magnetic field and gas, a sticky couple: models to quantify magnetic braking

N. Añez-López
Cold Cores
May 24-26, 2023

Co-Authors and collaborators:

U. Lebreuilly , A. Maury , P. Hennebelle



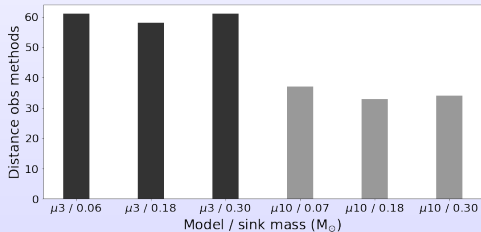
THANK YOU!



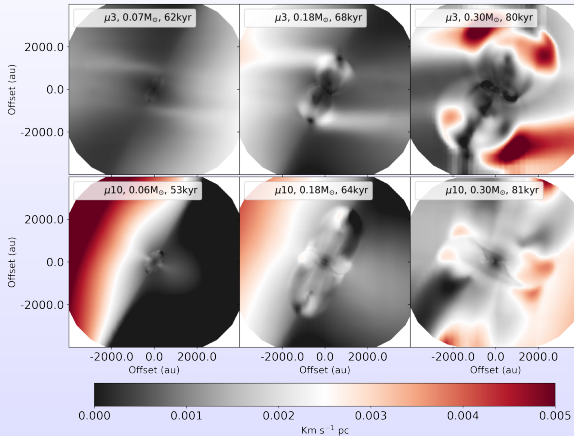
Normalized Euclidean Distances

	Rot. Vs Rad.	3D Vs 2D		Synthetic Observation (SO) Vs 3D					Synthetic Observation (SO) Vs 2D			SO Vs SO
(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	(10)	(11)	(12)	(13)
ID (M_{\odot})	$(i_{\nu}^{3D}, i_{\nu}^{3D})$	$(i_{\nu}^{3D}, i_{\nu}^{2D})$	$(i_{\nu}^{2D}, i_{\nu}^{2D})$	$(i_{\nu}^{obs}, i_{\nu}^{3D})$	$(i_{\nu}^{obs}, i_{\nu}^{3D})$	$(i_{\nu}^{obs}, i_{\nu}^{3D})$	$(i_{\nu}^{obs}, i_{\nu}^{3D})$	$(i_{\nu}^{obs}, i_{\nu}^{2D})$	$(i_{\nu}^{obs}, i_{\nu}^{2D})$	$(i_{\nu}^{obs}, i_{\nu}^{2D})$	$(i_{\nu}^{obs}, i_{\nu}^{2D})$	$(i_{\nu}^{obs}, i_{\nu}^{obs})$
$\mu 3(0.06)$	9.5	10	8	38	2	25	16	48	47	15	17	61
$\mu 3(0.18)$	15	11	7	31	1.6	31	17	42	40	22	24	58
$\mu 3(0.30)$	23	14	9	38	11	37	15	48	58	24	29	61
$\mu 10(0.07)$	13	16	6	26	4	15	2	39	33	1	9	37
$\mu 10(0.18)$	20	12	8	20	11	13	7	34	29	1	6	33
$\mu 10(0.30)$	31	15	9	18	43	17	14	35	28	2	8	34

How similar are both observational method?

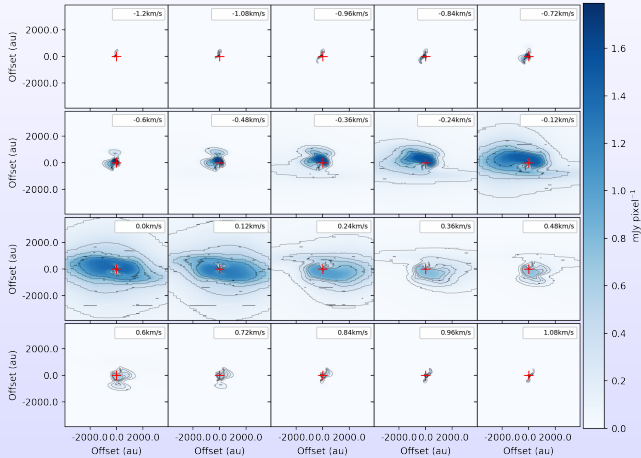


Specific Angular Momentum 2D

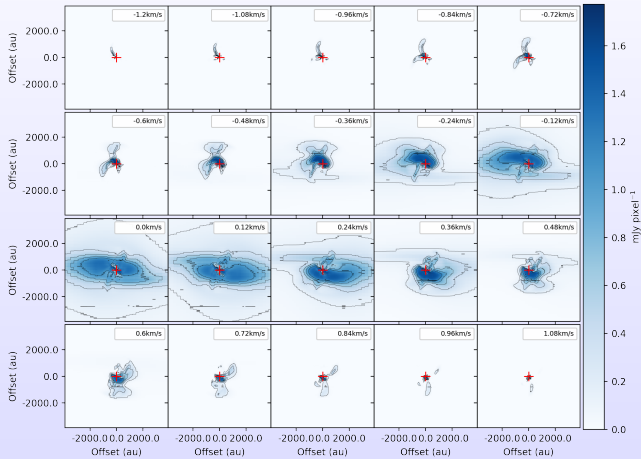


- Projected $V_\phi \times \text{radius}$ in the POS
- similar distribution than 3D,
- lower values than 3D

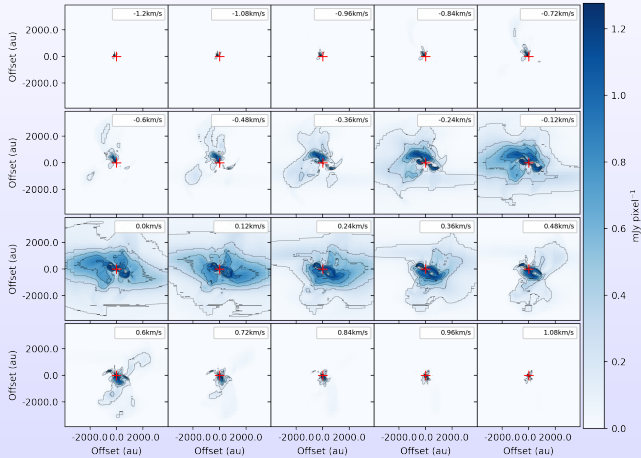
Chanel's map $\mu 3 \ 0.07M_{\odot}$



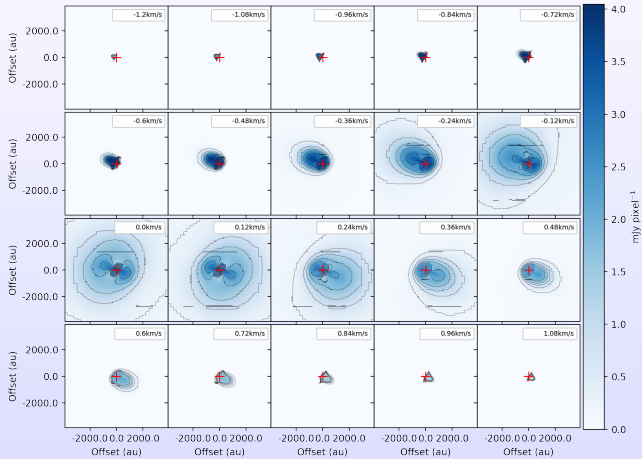
Chanel's map $\mu 3 \ 0.18M_{\odot}$



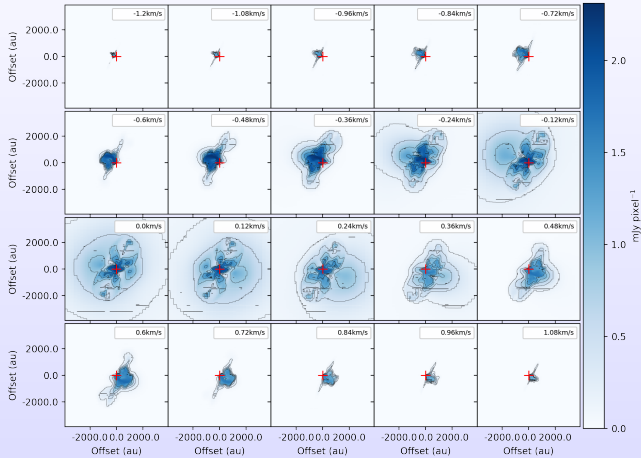
Chanel's map $\mu 3$ $0.30M_{\odot}$



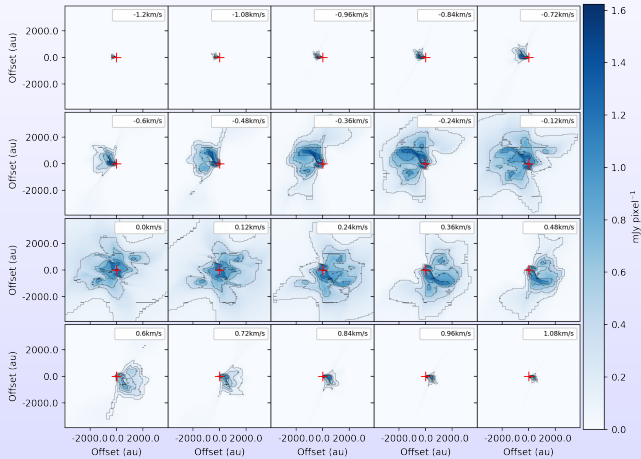
Chanel's map $\mu 10$ $0.06M_{\odot}$



Chanel's map $\mu 10\ 0.18M_{\odot}$



Chanel's map $\mu 10\ 0.30M_{\odot}$



Testing asymmetry

