

(PHOTON DETECTION IN) SUPERCONDUCTING QUANTUM TECHNOLOGIES

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BARCELONA SUPERCOMPUTING CENTER

Meeting point for radiation and photon detectors community

UB, Jul 9 2018



**Barcelona
Supercomputing
Center**

Centro Nacional de Supercomputación

QUANTIC group at BSC

<http://quantic.bsc.es/>



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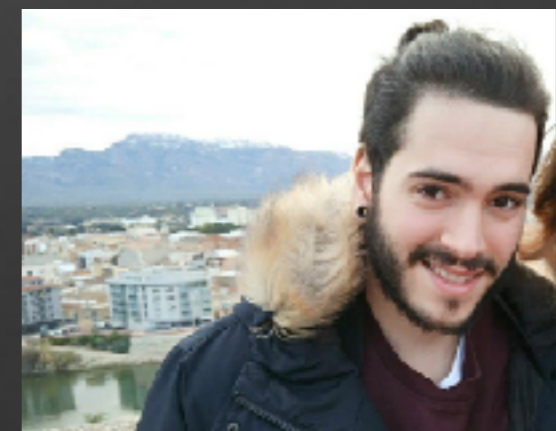
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P. Forn-Díaz



C. Warren



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QUANTIC group at BSC

<http://quantic.bsc.es/>

Quantum computation for real:

Quantum processors (in collaboration with ICN2)

Quantum annealer with
superconducting qubits

Explore new processor
architectures
with quantum gates

Quantum algorithms

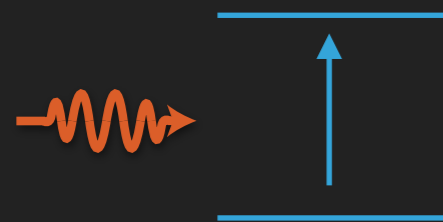
Develop novel algorithms
for practical problems:

- For small processors
- Quantum Machine learning
- Quantum simulation
- Optimization

GENERAL CONSIDERATIONS ON PHOTON DETECTION

Di Vincenzo criteria: ▶ A qubit-specific measurement capability.

▶ Not easy to find natural microwave absorber



Optical photons

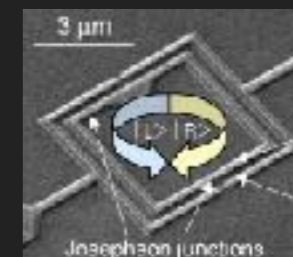
$$k_B T \ll h\nu$$

$$T \sim 10^4 \text{ K}$$



Microwave photons

$$T \sim 50 \text{ mK}$$



Photocounter: Y. F. Chen *et al.*, PRL 107, 217401 (2011)

(no sensitivity at single photon level)

Photon sensor: J. C. Besse *et al.*, PRX 8, 021003 (2018)

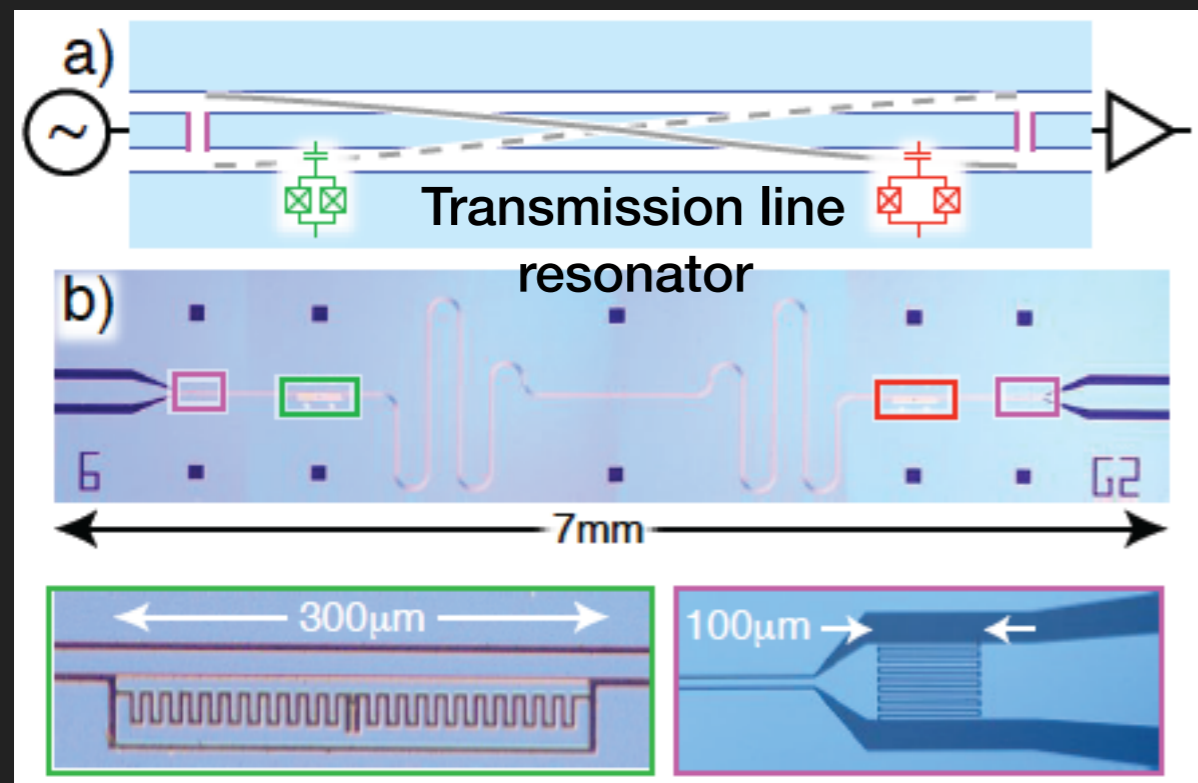
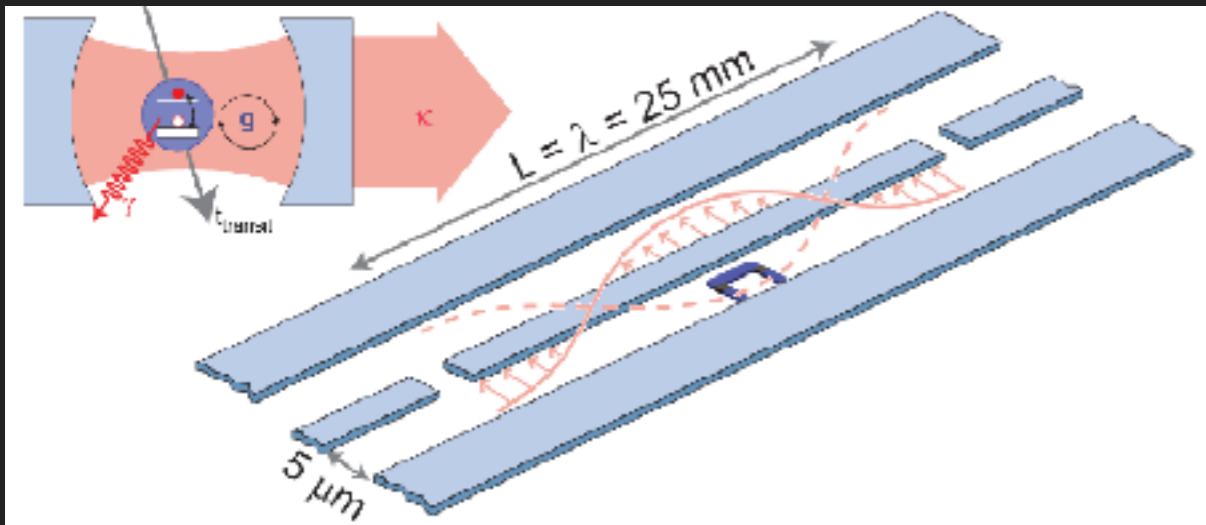
(narrow bandwidth, gated)

K. Inomata *et al.*, Nature Communications 7, 12303 (2016)

> Linear amplification

SUPERCONDUCTING QUANTUM TECHNOLOGIES

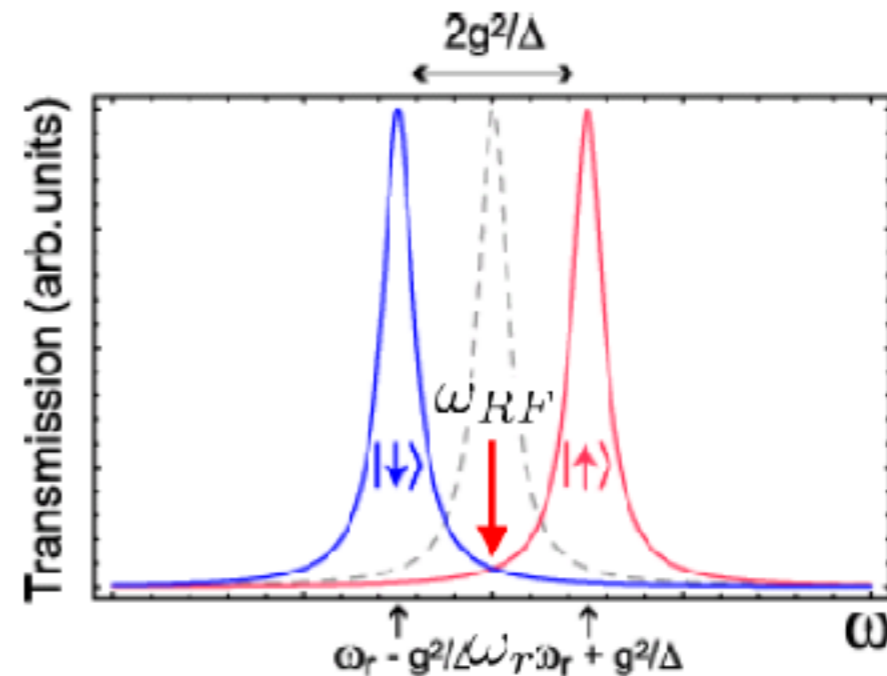
► Circuit QED readout (in a nutshell)



$$H \approx \hbar \left(\omega_r + \frac{g^2}{\Delta} \sigma_z \right) a^\dagger a + \frac{1}{2} \hbar \left(\omega_a + \frac{g^2}{\Delta} \right) \sigma_z$$

//
//

cavity frequency shift
and qubit ac-Stark shift
Lamb shift



A. Wallraff et al., Nature 431, 162 (2004)
 J. Fink et al., Nature 454, 315 (2008)

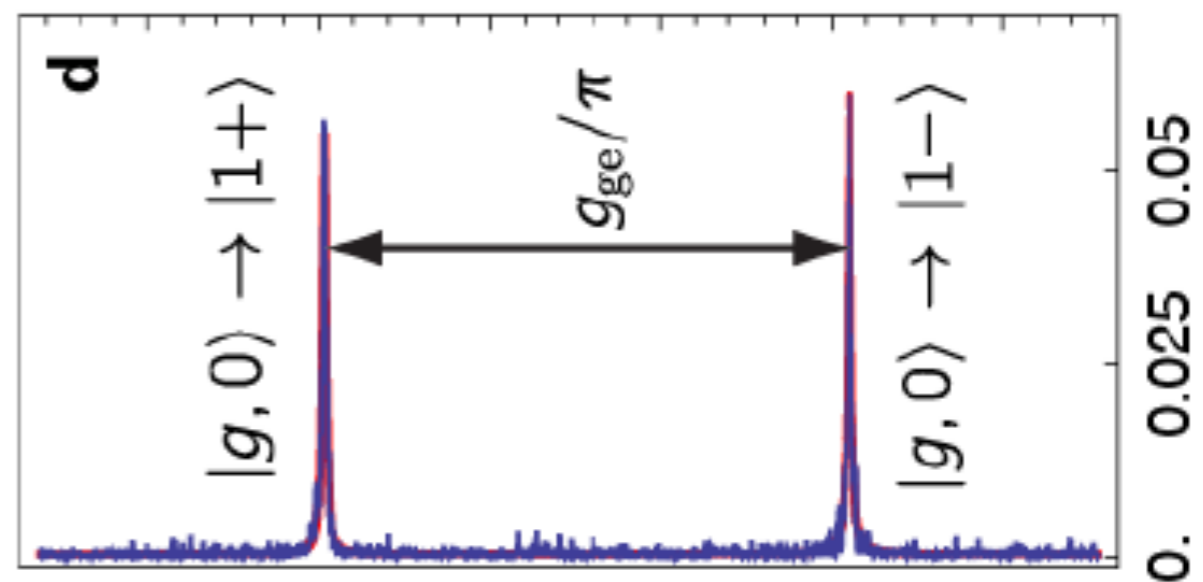
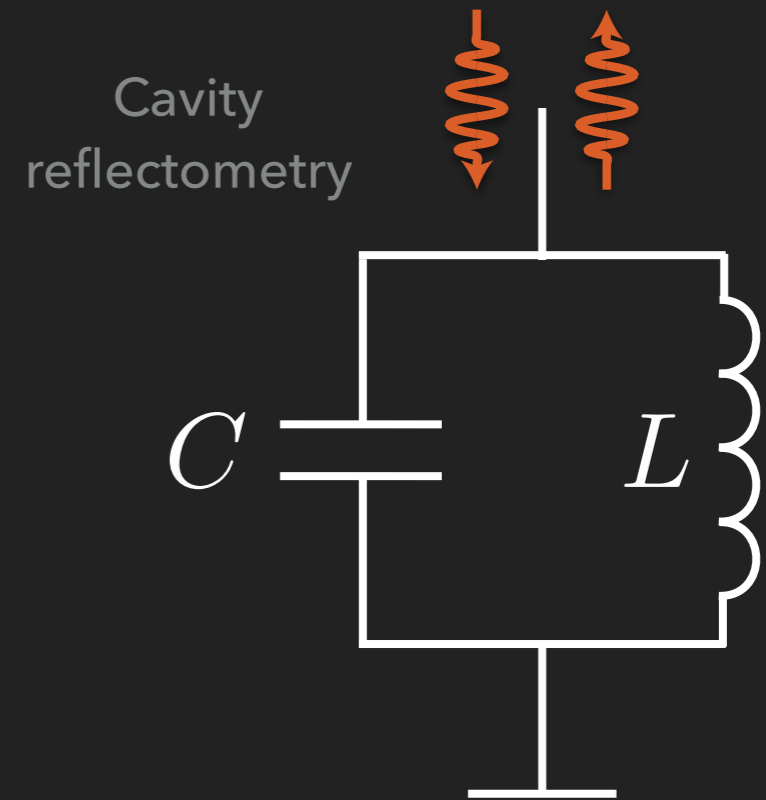
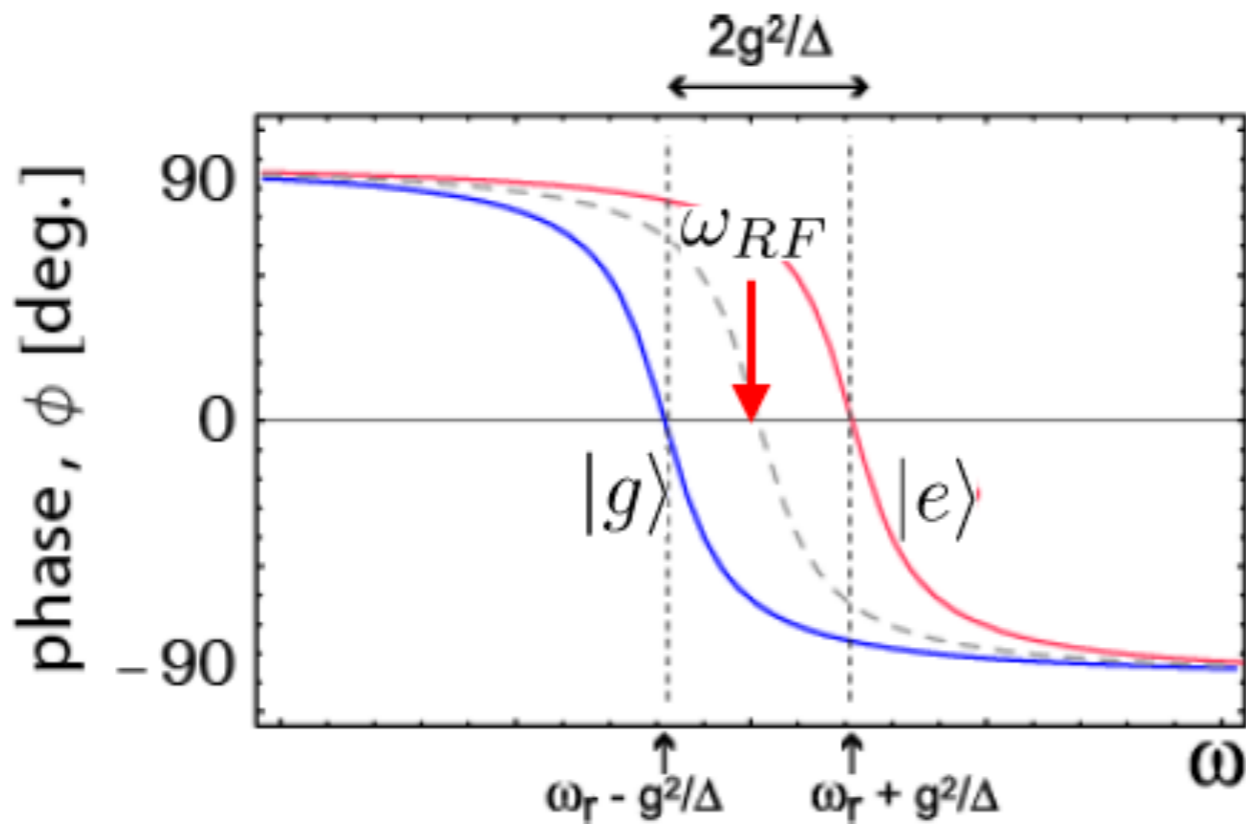
SUPERCONDUCTING QUANTUM TECHNOLOGIES

► Cavity-based readout

$$H \approx \hbar \left(\omega_r + \frac{g^2}{\Delta} \sigma_z \right) a^\dagger a + \frac{1}{2} \hbar \left(\omega_a + \frac{g^2}{\Delta} \right) \sigma_z$$

// //

cavity frequency shift
and qubit ac-Stark shift Lamb shift



J. Fink et al., Nature 454, 315 (2008)

QUANTUM-LIMITED AMPLIFICATION

- ▶ Ideally, we want a perfect phase-preserving amplifier

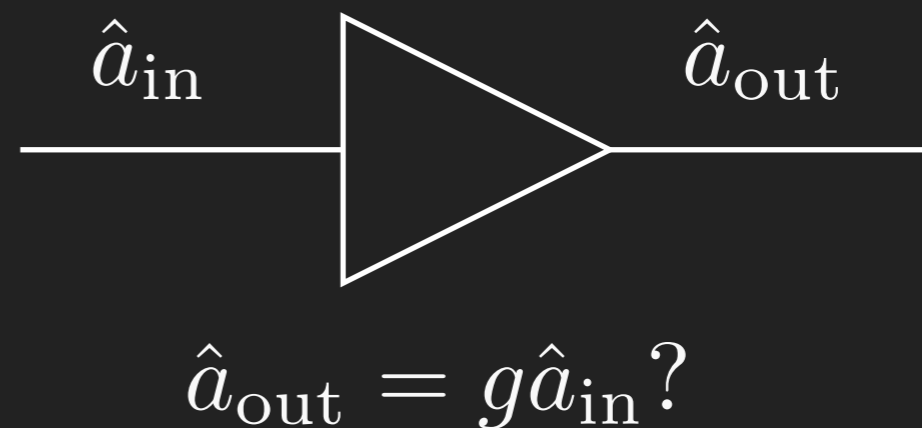
Signal: single-mode e.m. field:

$$\hat{E}(t) = \frac{1}{2}(\hat{a}e^{-i\omega t} + h.c.)$$

$$\langle E(t) \rangle = \text{Re}(\langle a \rangle e^{-i\omega t})$$

$$\hat{a}_{\text{out}} = g\hat{a}_{\text{in}} + \hat{L}^\dagger$$

Added noise, internal d.o.f.



No! violates unitarity (commutator)

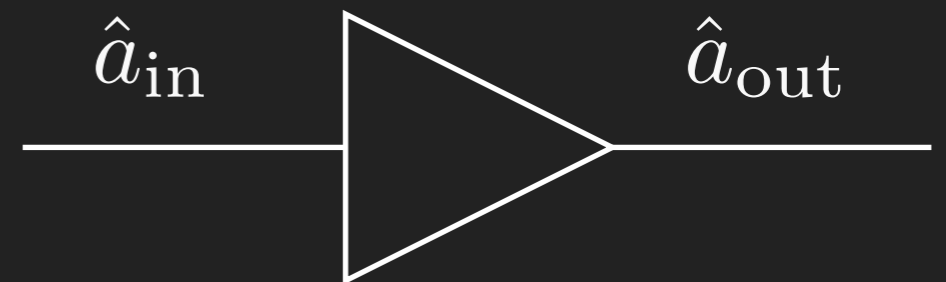
QUANTUM-LIMITED AMPLIFICATION

- ▶ Noise from amplifier appears in second moments

Variance of modes:

$$\langle |\Delta \hat{a}_{\text{out}}|^2 \rangle = g^2 \langle |\Delta \hat{a}_{\text{in}}|^2 \rangle + \langle |\Delta \hat{L}|^2 \rangle$$

$$\langle |\Delta \hat{a}_{\text{out}}|^2 \rangle / g^2 = \langle |\Delta \hat{a}_{\text{in}}|^2 \rangle + N_G$$



Noise added by amplifier:

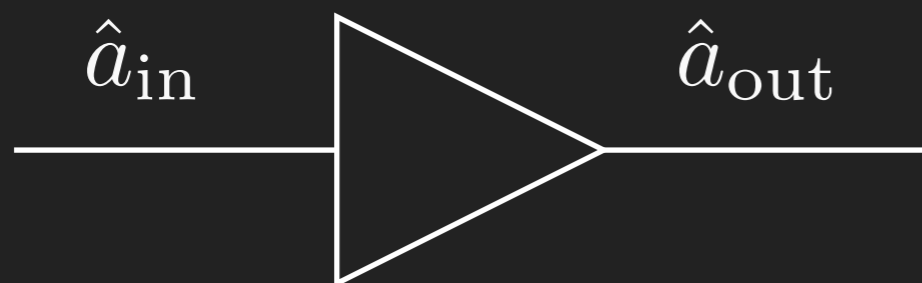
$$N_G \geq \frac{1}{2} \left| 1 - \frac{1}{g^2} \right|$$

Quantum-limited amplifier:

$$N_{\text{QL}} = \frac{1}{2} \left| 1 - \frac{1}{g^2} \right|$$

QUANTUM-LIMITED AMPLIFICATION

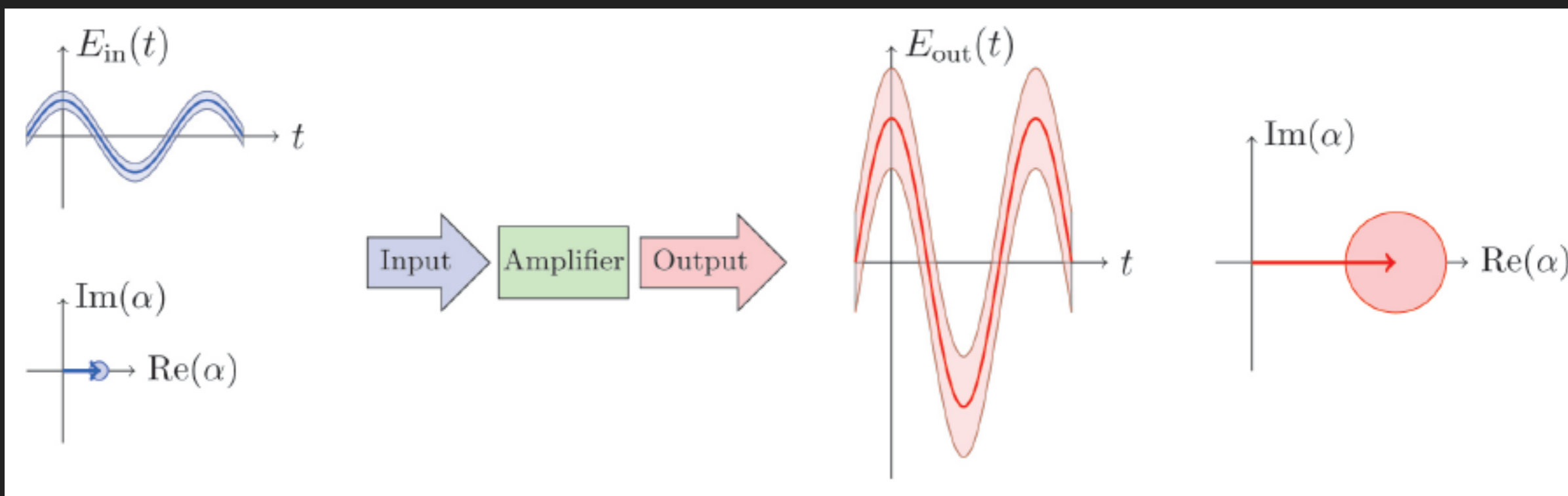
- ▶ Graphical representation with coherent states



$$N_{QL} = \frac{1}{2} \left| 1 - \frac{1}{g^2} \right|$$

$$E_{in}(t) = E_0 \cos \omega t$$

$$E_{out}(t) = gE_0 \cos \omega t$$



REAL-LIFE AMPLIFIERS

- ▶ Best commercial amplifier (and most used): HEMT LNA

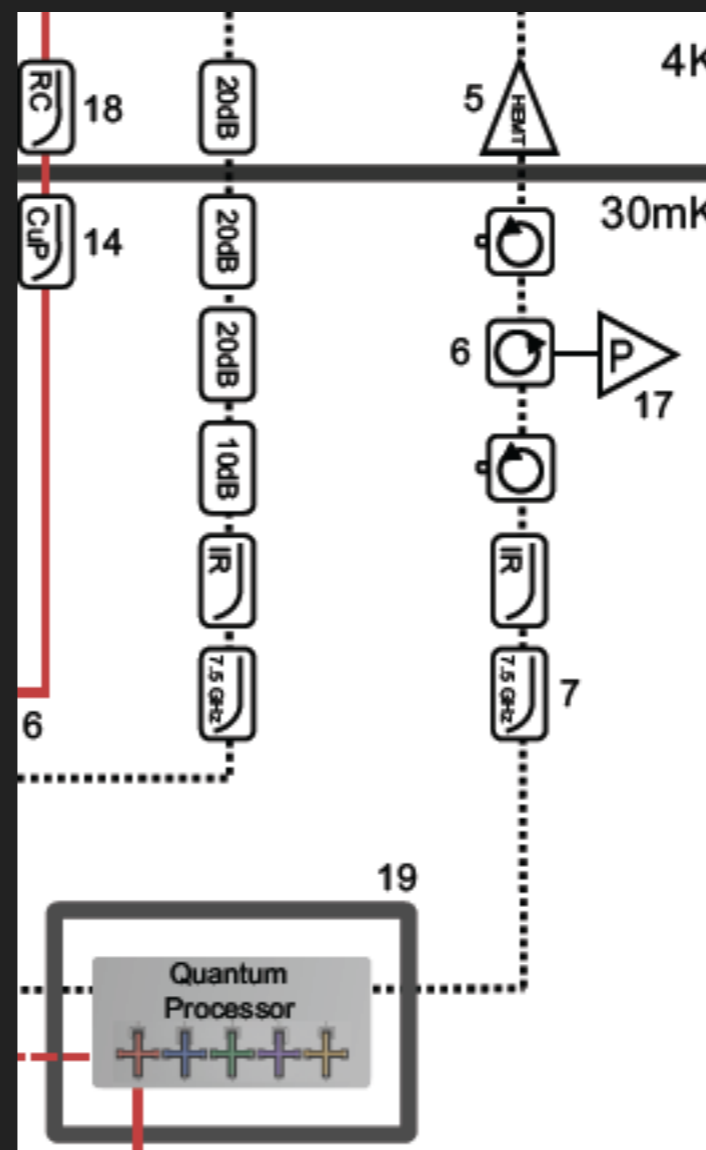


$$T_N = 2.3 \text{ K}$$

$$NF = 0.034 \text{ dB}$$

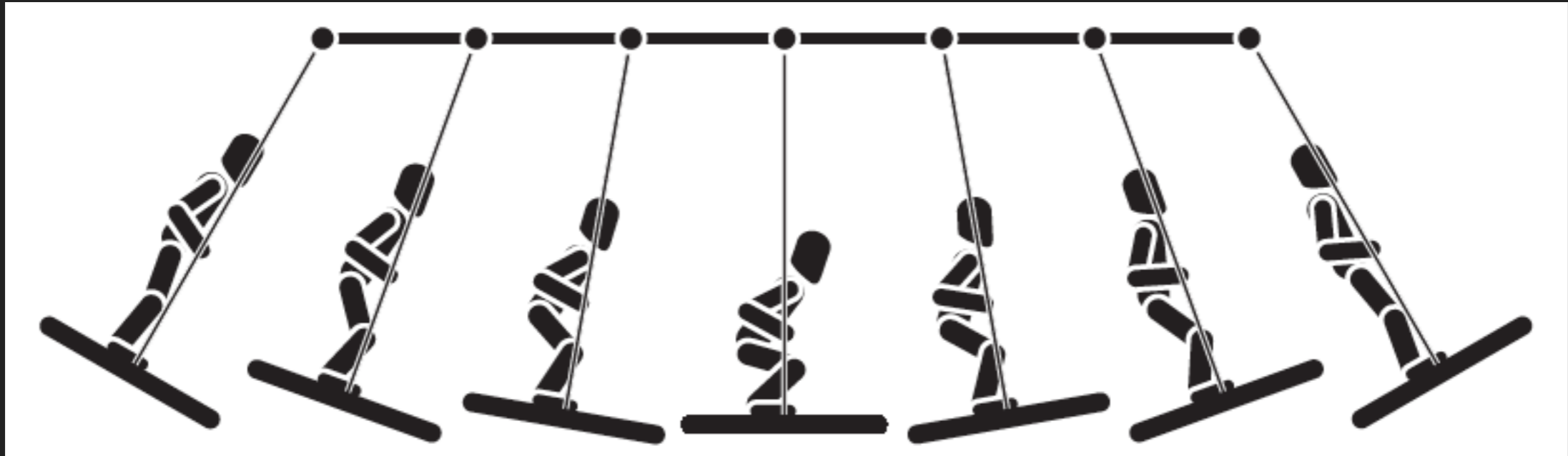
$$G = 39 \text{ dB}$$

$$N_G = 30\text{-}40 \text{ photons}$$



JOSEPHSON PARAMETRIC AMPLIFIERS

- ▶ Externally-controllable parameter

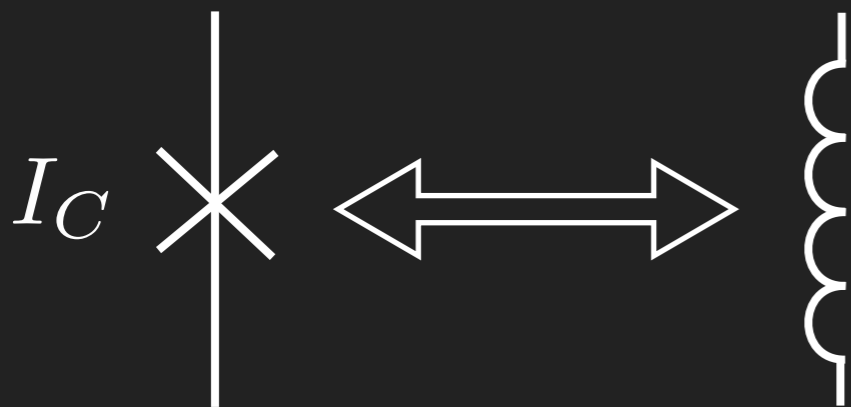


Duffing oscillator...

SQUID-BASED PARAMETRIC RESONATORS

▶ SQUID principle

Josephson junction Tuneable, nonlinear, nondissipative inductance



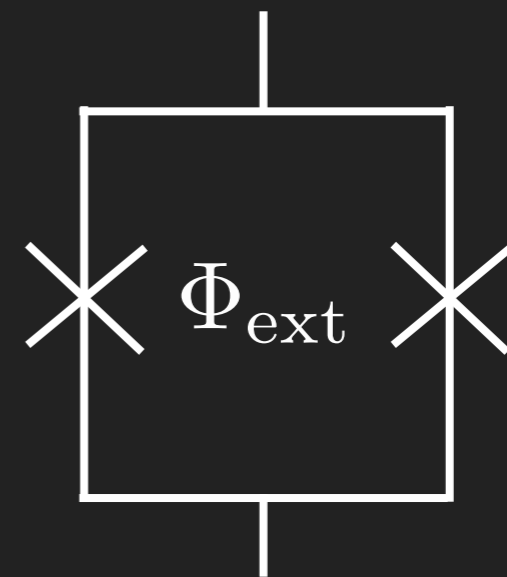
Josephson inductance

$$L_J = \left(\frac{\Phi_0}{2\pi} \right) \frac{1}{\sqrt{I_C^2 - I^2}}$$

Quantum of flux

$$\Phi_0 = \frac{h}{2e} \approx 2.07 \times 10^{-15} \text{ Wb}$$

SQUID: 2 junctions in parallel



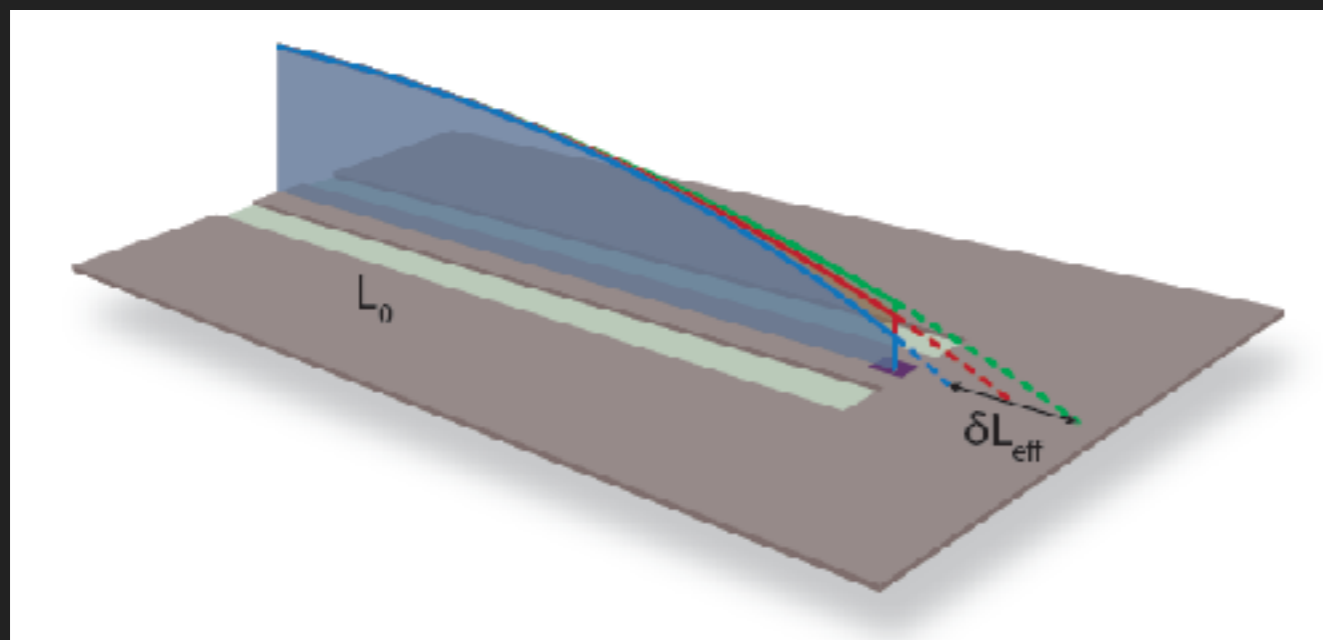
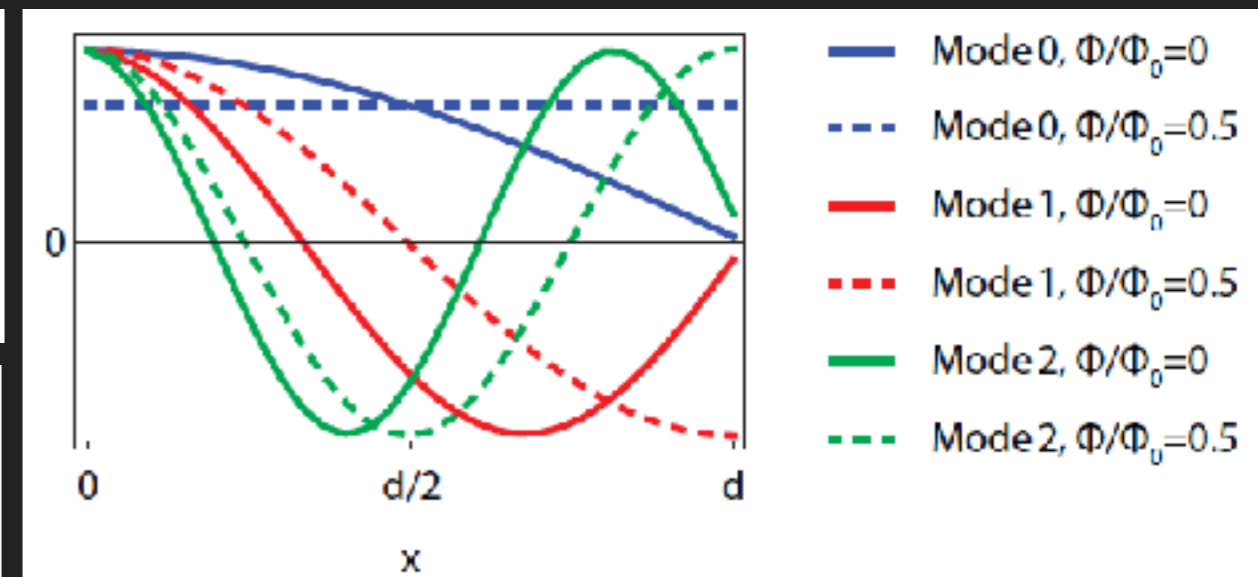
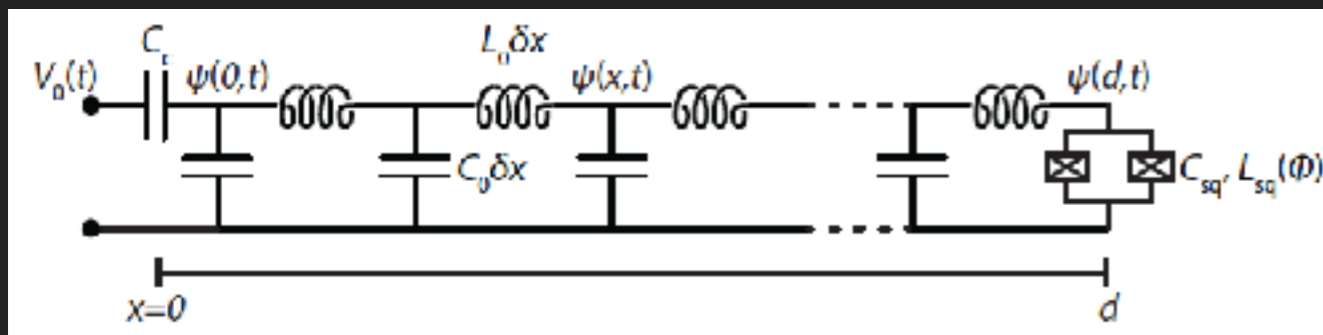
$$I_C(\Phi_{\text{ext}}) = 2I_C \cos \left(\pi \frac{\Phi_{\text{ext}}}{\Phi_0} \right)$$

$$L_J(\Phi_{\text{ext}}) = \left(\frac{\Phi_0}{2\pi} \right) \frac{1}{\sqrt{I_C(\Phi_{\text{ext}})^2 - I^2}}$$

Flux-tunable, nonlinear inductance

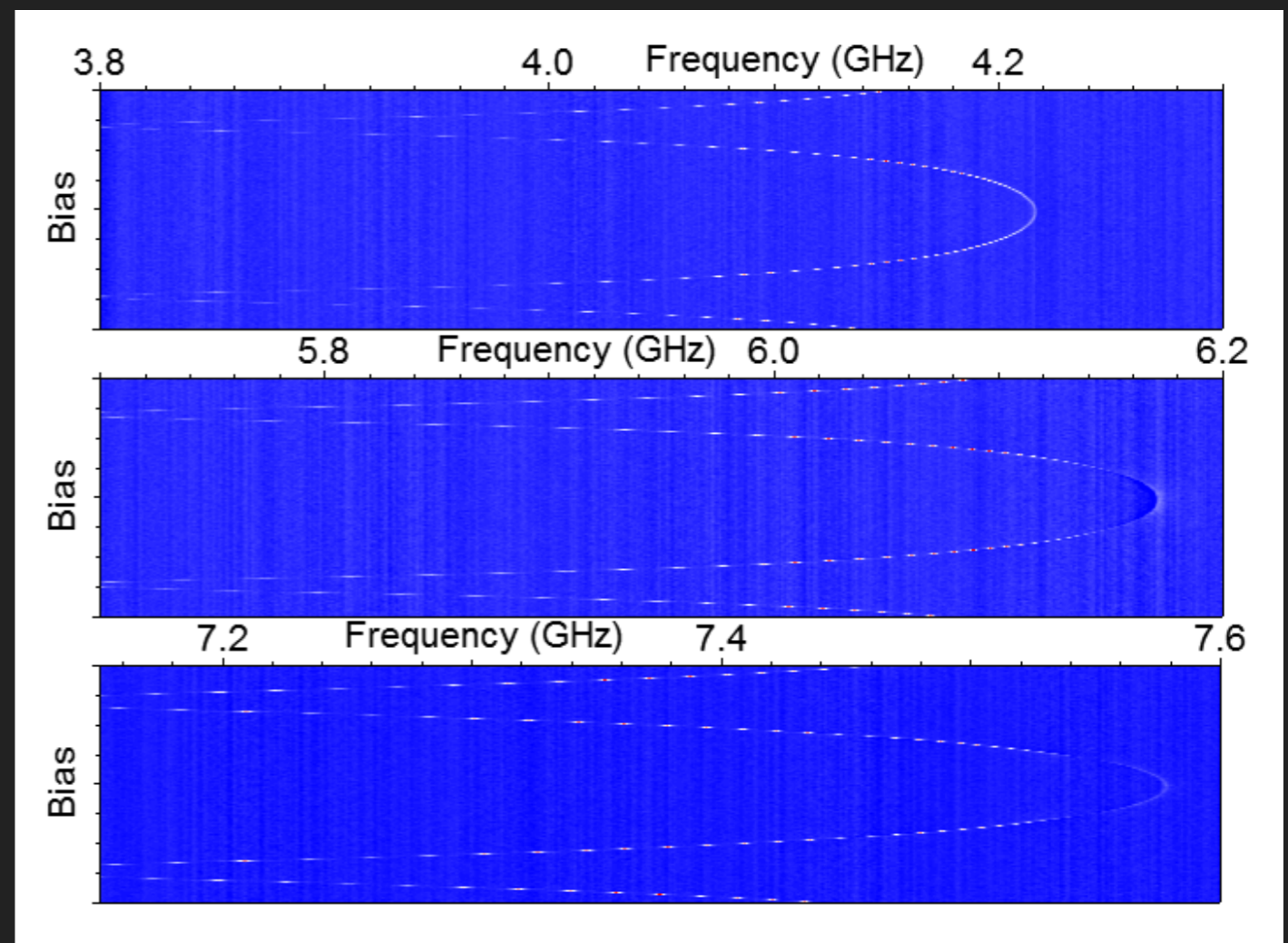
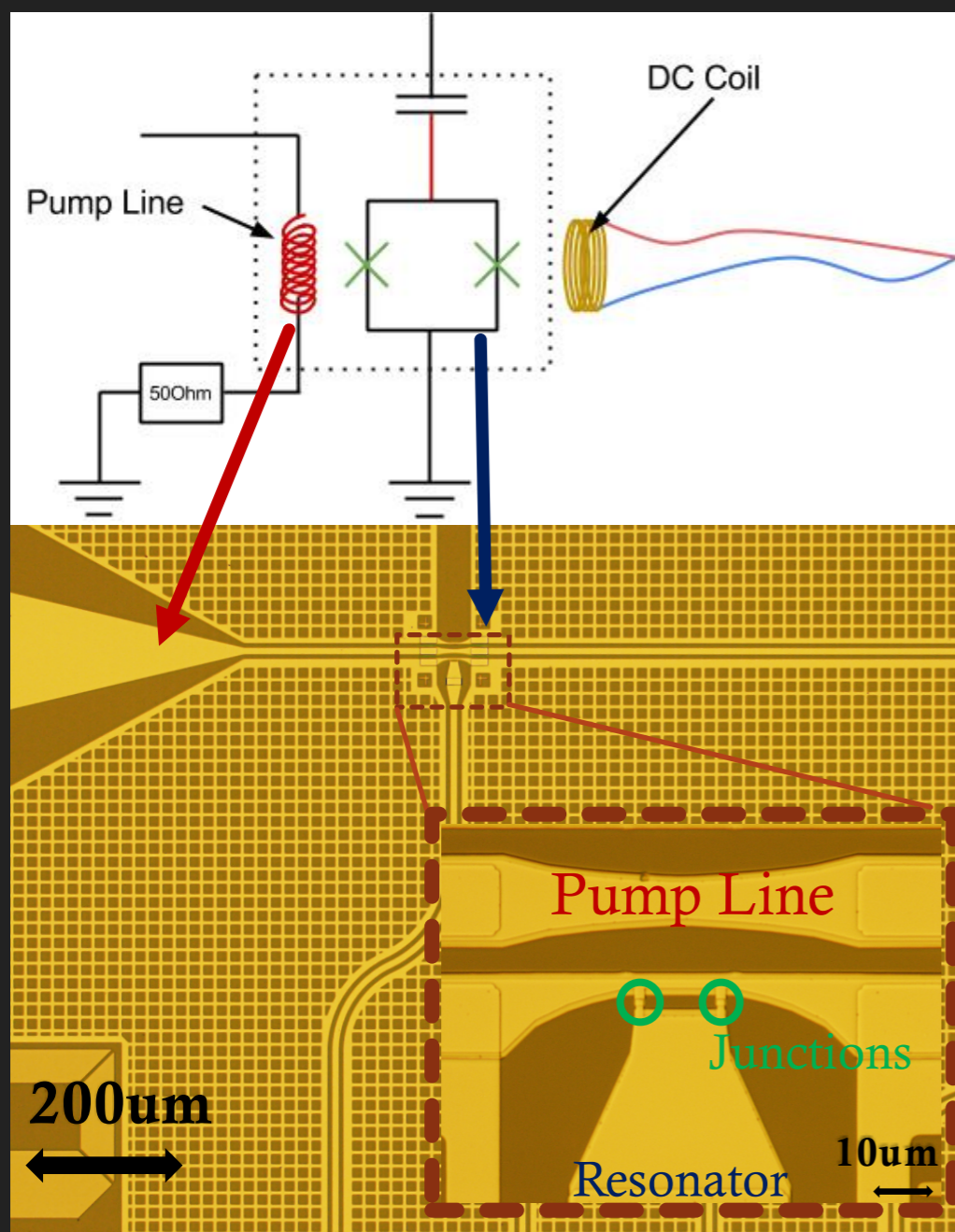
SQUID-BASED PARAMETRIC RESONATORS

► Josephson parametric amplifier



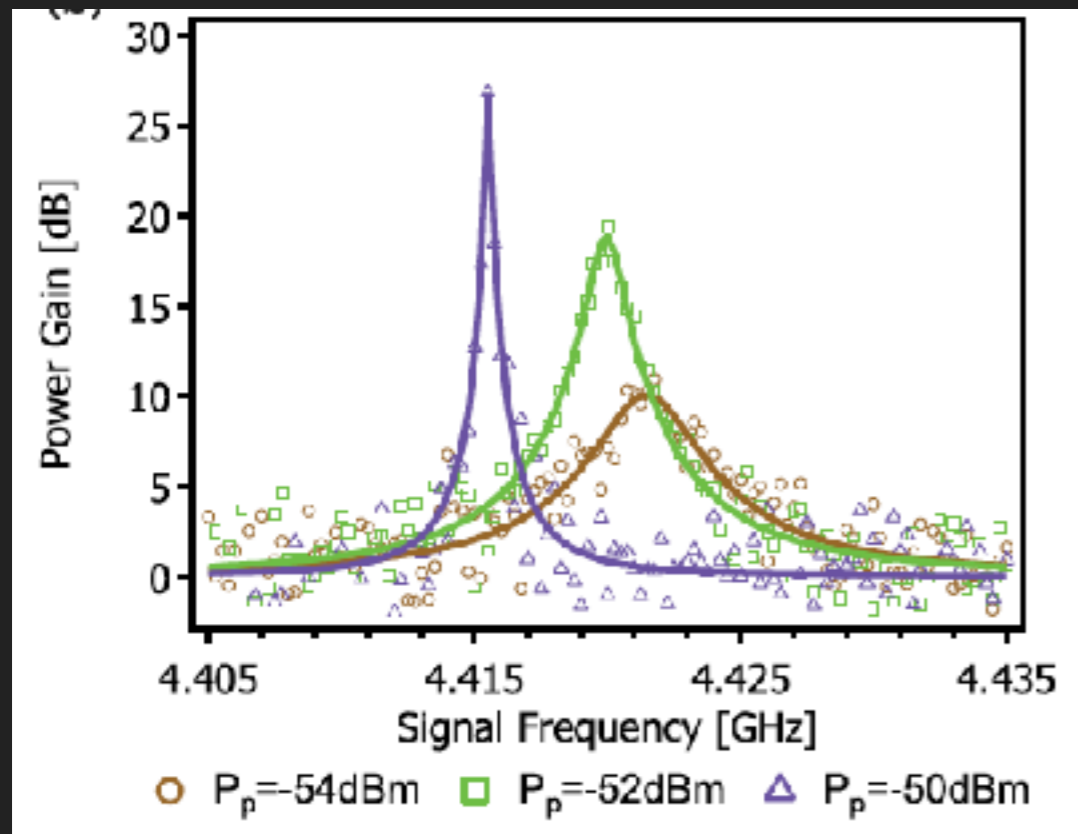
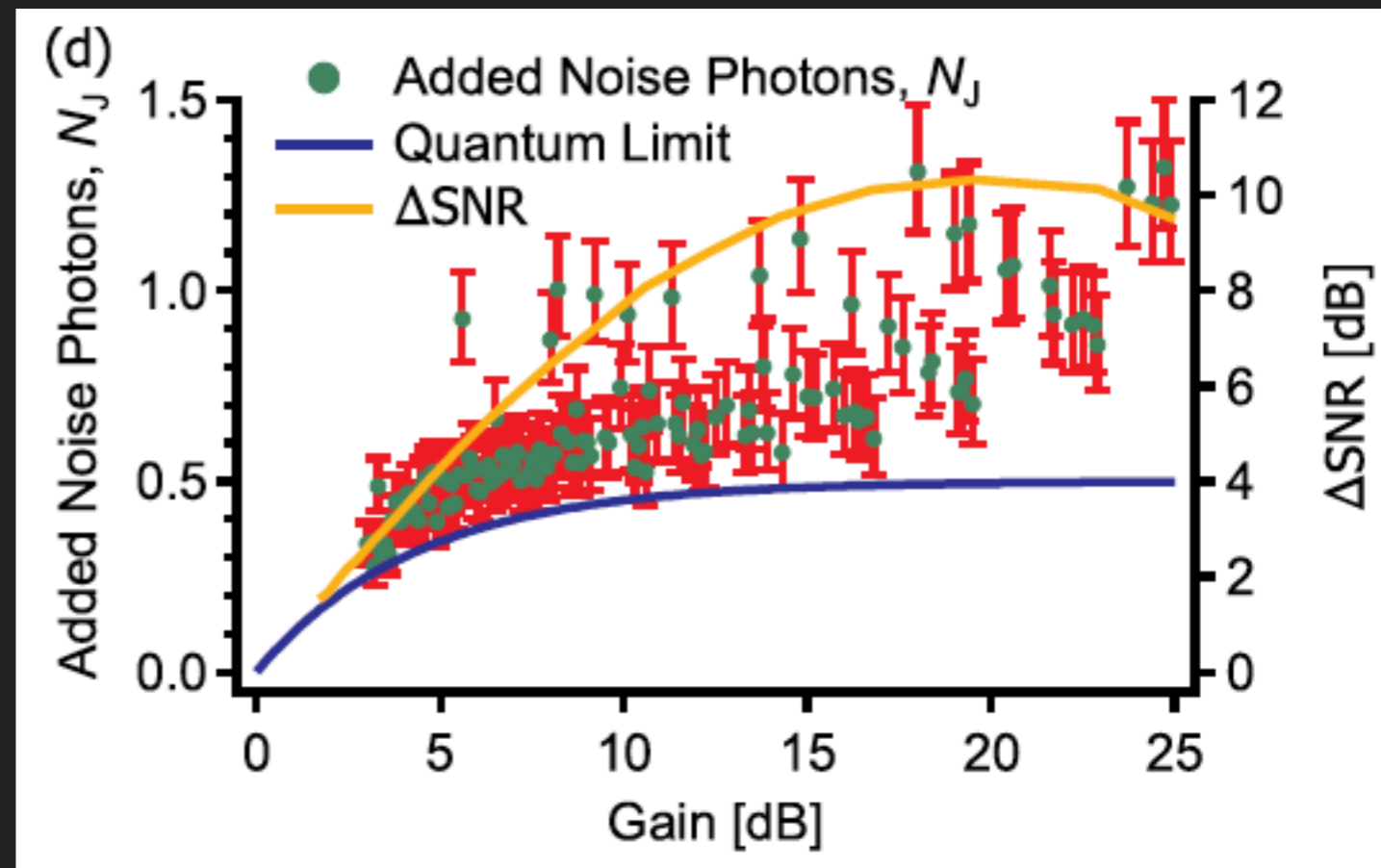
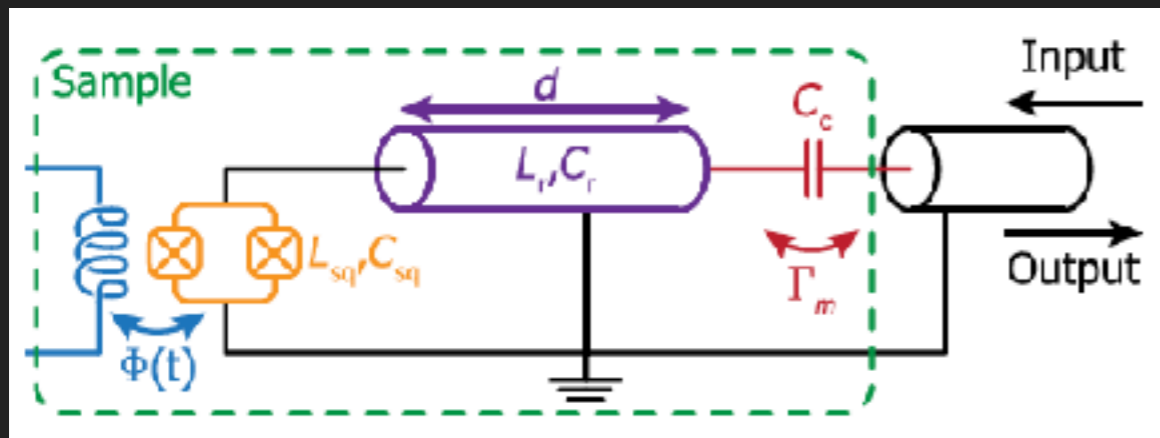
SQUID-BASED PARAMETRIC RESONATORS

- ▶ Josephson parametric amplifier: real devices



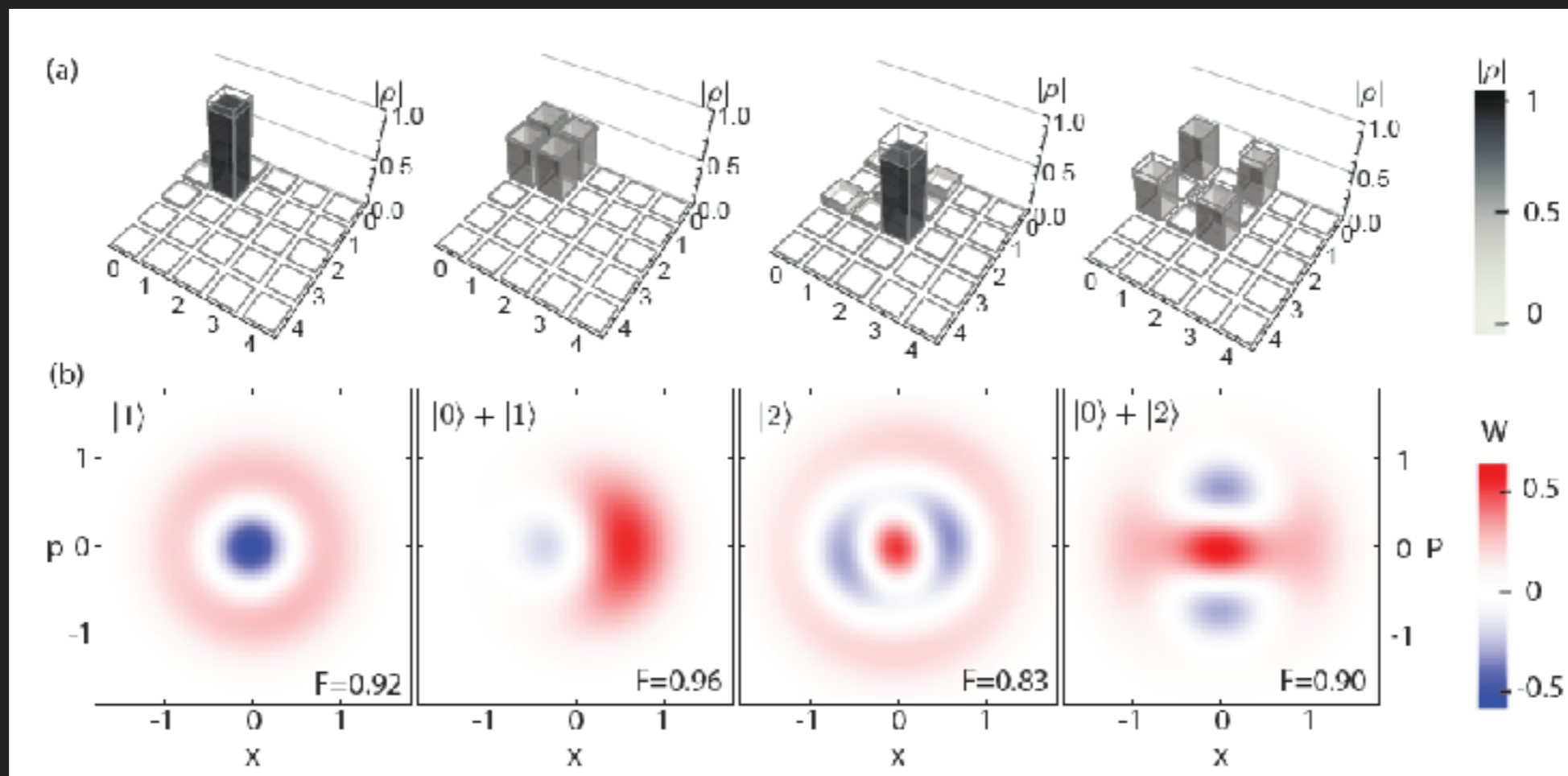
SQUID-BASED PARAMETRIC RESONATORS

► Josephson parametric amplifier: performance



SQUID-BASED PARAMETRIC RESONATORS

► Some results using JPAs



CONCLUSIONS

- ▶ Photon amplifiers/detectors are crucial to quantum information
- ▶ Josephson parametric amplifiers are quantum-limited amplifiers
- ▶ JPAs integrate with qubit technology, even beyond superconducting circuits
- ▶ Almost any superconducting qubit-based experiment since ~2012 has a JPA
- ▶ JPAs enable quantum feedback, quantum teleportation, quantum state tomography, etc.

▶ Thank you!

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READING OUT QUANTUM BITS

Di Vincenzo criteria:

- ▶ A scalable physical system with well characterized qubits.
- ▶ The ability to initialize the state of the qubits to a simple fiducial state.
- ▶ Long relevant decoherence times.
- ▶ A “universal” set of quantum gates.
- ▶ A qubit-specific measurement capability.
- ▶ The ability to interconvert stationary and flying qubits.
- ▶ The ability to faithfully transmit flying qubits between specified locations.